# Matlab IOI a.k.a."The Matlabomicon" 

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a.k.a. "MC Matlab," "The Matlab Maniac,"
"General Matlabissimo," and "Matlab-sensei"

## What you will learn

## What you will learn

- MATLAB


## The Matlab GUI

## The Matlab GUI

- [Demo]


## The Matlab GUI

- [Demo]
- Further details online on website


## What is a Matlab program?

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- Script: a saved series of Matlab commands that can be replayed


## What is a Matlab program?

- Any text file with .m extension
- Script: a saved series of Matlab commands that can be replayed
- Function: Defines new Matlab commands


## Why Matlab?

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- Vast library of common scientific functions


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- Easy debugging
- Kickbacks from Mathworks (\$\$)


## Case study:YamSlam!



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- Given 3 chances to roll, how likely is it that you will roll 5 of a kind?



## Case study:YamSlam!

- Given 3 chances to roll, how likely is it that you will roll 5 of a kind?
- Strategy: Pick the most common \#, and re-roll dice that don't match



## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}($ unifrnd $(0,6,5,1))+1$;

## Rolling 5 dice

## $y=$ floor (unifrnd $(0,6,5,1))+1$;

Sample from uniform distribution

## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}($ unifrnd $(0,6,5,1))+1$;

In the range $(0,6)$

## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}(\operatorname{unifrnd}(0,6,5,1)+1$;

Compute for a $5 \times 1$ matrix

## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}(\operatorname{unifrnd}(0,6,5,1))+1$;

Round down to get $\{0, \mathrm{I}, 2,3,4,5\}$

## Rolling 5 dice

$$
y=f l o o r(\operatorname{unifrnd}(0,6,5,1))+1 ;
$$

Increment by I to match die \#'s

## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}(\operatorname{unifrnd}(0,6,5,1))+1 ;$

Suppress output from command

## Rolling 5 dice

## $y=\operatorname{floor}(\operatorname{unifrnd}(0,6,5,1))+1$;

What is the value of $y$ ?

## Rolling 5 dice

$$
\mathrm{y}=\underset{y=}{\operatorname{floor}(\operatorname{unifrnd}(0,6,5,1))+1 ; ~}
$$

$$
\begin{aligned}
& 5 \\
& 6 \\
& 1 \\
& 6 \\
& 4
\end{aligned}
$$

## Rolling 5 dice

$$
y=\underset{y=}{\operatorname{floor}(\operatorname{unifrnd}}(0,6,5,1))+1 ;
$$

2
4
6
6

## Rolling 5 dice

$$
y=\underset{y=}{y} \underset{y}{\operatorname{floor}(\operatorname{unifrnd}}(0,6,5,5))+1 ;
$$

| 5 | 6 | 6 | 3 | 3 |
| :--- | :--- | :--- | :--- | :--- |
| 2 | 4 | 2 | 2 | 5 |
| 4 | 1 | 5 | 2 | 4 |
| 5 | 1 | 2 | 4 | 4 |
| 6 | 2 | 6 | 3 | 6 |

## Rolling 5 dice

$$
y=\underset{y=}{\operatorname{floor}(\operatorname{unifrnd}}(0,6,5,1))+1 ;
$$

2
4
6
6

## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}($ unifrnd $(0,6,5,1))+1$; <br> $$
y=
$$



## Rolling 5 dice

$$
\begin{gathered}
y=\operatorname{floor}(\text { unifrnd }(0,6,5,1))+1 ; \\
y=
\end{gathered}
$$

Reroll these

| 1 |
| :---: |
| 2 |
| 4 |
| 6 |
| 6 |

## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}($ unifrnd $(0,6,5,1))+1$;

$$
y=
$$

Reroll these $\left[\left.\begin{array}{l}1 \\ 2 \\ 4 \\ 6\end{array} \right\rvert\, y(y \sim=6)=\ldots\right.$
6

## Rolling 5 dice

$y=$ floor(unifrnd $(0,6,5,1))+1$;

$$
y=
$$



## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}($ unifrnd $(0,6,5,1))+1$;

$$
y=
$$

$6 y(y \sim=6)=\ldots$
Reroll these

## floor (unifrnd (...

$0,6,3,1))+1$;

## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}($ unifrnd $(0,6,5,1))+1$;

$$
\begin{aligned}
& y= \\
& 6 \quad y(y \sim=6)=\ldots
\end{aligned}
$$

Reroll these I

$$
\begin{aligned}
& 4 \text { floor(unifrnd(... } \\
& 6 \quad 0,6,2,1))+1 \text {; }
\end{aligned}
$$

## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}($ unifrnd $(0,6,5,1))+1$;

$$
\begin{aligned}
& y= \\
& \quad 6 y\left(\left[\begin{array}{ll}
2 & 3
\end{array}\right]\right)=\ldots
\end{aligned}
$$

Reroll these I

$$
\left.\left.\begin{array}{l}
4 \quad \text { floor (unifrnd(... } \\
6
\end{array} \quad 0,6,2,1\right)\right)+1 ;
$$

## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}($ unifrnd $(0,6,5,1))+1$;

$$
\begin{aligned}
& y= \\
& 6 y(2: 3)=\ldots
\end{aligned}
$$

Reroll these I 4 floor(unifrnd(...
$6 \quad 0,6,2,1))+1$;

## Rolling 5 dice

## $\mathrm{y}=\mathrm{floor}($ unifrnd $(0,6,5,1))+1$;

$$
y=
$$

$\left.6 \mathrm{y}\left(\begin{array}{llllll}{\left[\begin{array}{lllll}0 & 1 & 1 & 0 & 0\end{array}\right.} & 0\end{array}\right]>0\right)=\ldots$
Reroll these I

$$
\left.\left.\begin{array}{l}
4 \quad \text { floor (unifrnd(... } \\
6
\end{array} \quad 0,6,2,1\right)\right)+1 ;
$$

## YamSlam! Simulator

```
tic
for r = 1:1000
    rollidx = 1:5;
    y = zeros(5,1);
    for t = 1:3
        y(rollidx) = floor(unifrnd( ...
            0,6, numel(rollidx) , 1 ) )+1 ;
        for i = 1:6
            c(i) = sum(y==i);
        end
        [~,maxi] = max(c);
        rollidx = find(y~=maxi);
    end
    yamslam(r) = all(y==y(1));
end
toc
disp(['Probability of yamslam:
    num2str(mean(yamslam))])
```


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```
YamSlam! Simulator
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    Count # of times each
for r = 1:1000
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    y = zeros(5,1);
    for t = 1:3
        y(rollidx) = floor(unifrnd( ...
        0,6,numel(rollidx),1))+1;
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    num2str(mean(yamslam)])])
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## YamSlam! Simulator

- Let's run it!!


## Why YamSlam!?

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- Read the code we give you


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- Follow the online tutorials


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- Ask questions on Piazza


## YamSlam! Simulator

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    rollidx = 1:5;
    y = zeros(5,1);
    for t = 1:3
        y(rollidx) = floor(unifrnd( ...
        0,6, numel(rollidx),1))+1;
    end
    yamslam(r) = all(y==y(1));
end
toc
disp(['Probability of yamslam: ' ...
    num2str(mean(yamslam))])
```


## YamSlam! Simulator

tic
Simplifying through built-in commands

```
for r = 1:1000
    rollidx = 1:5;
    y = zeros(5,1);
    for t = 1:3
        y(rollidx) = floor(unifrnd( ...
            0,6, numel(rollidx) , 1) )+1;
            rollidx = find(y~=mode(y);
    end
    yamslam(r) = all(y==y(1));
end
toc
disp(['Probability of yamslam: ' ...
    num2str(mean(yamslam)) ])
```


## Key Matlab Concepts

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- All numeric types are matrices


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- Vectorization instead of loops


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- All numeric types are matrices
- Vectorization instead of loops
- Indexing instead of control logic

All numeric data are matrices

# All numeric data are matrices 

$$
A=2 ; B=3 ; A * B=
$$

## All numeric data are

 matrices$$
A=2 ; B=3 ; A * B=
$$

[6]

## All numeric data are

 matrices$$
\begin{array}{r}
A=2 ; B=3 ; A * B= \\
A=[12] ; B=3 ; A * B=
\end{array}
$$

[6]

## All numeric data are

 matrices$$
\begin{gathered}
A=2 ; B=3 ; A * B=[6] \\
A=[12] ; B=3 ; A * B=[36]
\end{gathered}
$$

## All numeric data are

 matrices$$
\left.\left.\begin{array}{c}
A=2 ; B=3 ; A * B=[6] \\
A=[1
\end{array}\right] ; B=3 ; A * B=[36]\right] \text { } \begin{array}{r}
\text { A }=\left[\begin{array}{ll}
1 & 2
\end{array}\right] ; B=\left[\begin{array}{ll}
3 & 4
\end{array}\right] ; A * B=
\end{array}
$$

## All numeric data are

 matrices$$
\begin{gathered}
\mathrm{A}=2 ; \mathrm{B}=3 ; \mathrm{A} * \mathrm{~B}=[6] \\
\mathrm{A}=\left[\begin{array}{ll}
1 & 2
\end{array}\right] ; \mathrm{B}=3 ; \mathrm{A} * \mathrm{~B}=[36] \\
\mathrm{A}=\left[\begin{array}{ll}
1 & 2
\end{array}\right] ; \mathrm{B}=\left[\begin{array}{ll}
3 & 4
\end{array}\right] ; \mathrm{A} * \mathrm{~B}=\mathrm{ERROR}
\end{gathered}
$$

## All numeric data are

 matrices$$
\left.\begin{array}{c}
A=2 ; B=3 ; A * B=[6] \\
A=[12] ; B=3 ; A * B=[36] \\
A=[12
\end{array}\right] ; B=[34] ; A * B=\text { ERROR }
$$

## All numeric data are

 matrices$$
\begin{aligned}
& \mathrm{A}=2 ; \mathrm{B}=3 ; \mathrm{A} * \mathrm{~B}= \\
& A=[12] ; B=3 ; A * B=[36] \\
& \mathrm{A}=[12] ; \mathrm{B}=\left[\begin{array}{ll}
3 & 4
\end{array}\right] ; \mathrm{A} * \mathrm{~B}=\mathrm{ERROR} \\
& \mathrm{~A}=\left[\begin{array}{ll}
1 & 2
\end{array}\right] ; \mathrm{B}=\left[\begin{array}{ll}
3 & 4
\end{array}\right] ; \mathrm{A} . * \mathrm{~B}=[38]
\end{aligned}
$$

## All numeric data are

 matrices$$
\begin{aligned}
& \mathrm{A}=2 ; \mathrm{B}=3 ; \mathrm{A} * \mathrm{~B}= \\
& A=[12] ; B=3 ; A * B=[36] \\
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3 & 4
\end{array}\right] ; \mathrm{A} * \mathrm{~B}=\text { ERROR } \\
& \mathrm{A}=\left[\begin{array}{ll}
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## All numeric data are

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3 & 4
\end{array}\right] ; \mathrm{A} * \mathrm{~B}=\text { ERROR } \\
& \mathrm{A}=[12] ; \mathrm{B}=[34] ; \mathrm{A} . * \mathrm{~B}=[38] \\
& A=[12] ; B=[34] \text {; } A * B=[I]
\end{aligned}
$$

All numeric data are matrices

## All numeric data are

 matrices$$
A=2 ; \operatorname{size}(A)=
$$

## All numeric data are

 matrices$$
A=2 ; \operatorname{size}(A)=[\mid 1]
$$

# All numeric data are matrices 

$$
\begin{gathered}
A=2 ; \operatorname{size}(A)=[I] \\
A=[12 ; 34] ; \operatorname{size}(A)=
\end{gathered}
$$

## All numeric data are

 matrices$$
\begin{gathered}
A=2 ; \operatorname{size}(A)=[1 \mid] \\
A=[12 ; 34] ; \operatorname{size}(A)=[2]
\end{gathered}
$$

# All numeric data are 

 matrices$$
\begin{gathered}
A=2 ; \operatorname{size}(A)=[11] \\
A=[12 ; 34] ; \operatorname{size}(A)=[22] \\
A(2,:)=
\end{gathered}
$$

# All numeric data are 

 matrices$$
\begin{gathered}
A=2 ; \operatorname{size}(A)=[1] \\
A=[12 ; 34] ; \operatorname{size}(A)=[22] \\
A(2,:)=[34]
\end{gathered}
$$

# All numeric data are 

 matrices$$
\begin{gathered}
A=2 ; \operatorname{size}(A)=[1] \\
A=[12 ; 34] ; \operatorname{size}(A)=[22] \\
A(2,:)=[34] \quad A(:, 2)=
\end{gathered}
$$

## All numeric data are

 matrices$$
\begin{gathered}
A=2 ; \operatorname{size}(A)=[1] \\
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\end{gathered}
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A=2 ; \operatorname{size}(A)=[1] \\
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\end{gathered}
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\operatorname{length}(A)=[2] \text { numel }(A)=[4] \\
A(1: 4)=
\end{gathered}
$$

## All numeric data are

 matrices$$
\begin{gathered}
A=2 ; \operatorname{size}(A)=[1] \\
A=[12 ; 34] ; \operatorname{size}(A)=[22] \\
A(2,:)=[34] \quad A(:, 2)=[2 ; 4] \\
\operatorname{length}(A)=[2] \text { numel }(A)=[4] \\
A(1: 4)=[1324]
\end{gathered}
$$

## Matlab is column-major!

$$
\begin{array}{llllll}
1 & 4 & 7 & 1 & 2 & 3 \\
2 & 5 & 8 & 4 & 5 & 6 \\
3 & 6 & 9 & 7 & 8 & 5
\end{array}
$$

Vectorization

## Vectorization

sum_v $=0$
for $i=1: 10$
sum_v $=$ sum_v + v(i)
end

## Vectorization



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for $i=1: 10$
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end
NEVER DOTHIS
EVER

# Vectorization 

## sum_v = sum(v)

# Vectorization 

sum_v $=$ sum(v)
What if $\min (\operatorname{size}(\mathrm{v}))>$ ?

# Vectorization 

sum_v $=$ sum(v)
What if $\min (\operatorname{size}(\mathrm{v}))>\mathrm{I}$ ?

$$
\begin{array}{lll}
1 & 4 & 7 \\
2 & 5 & 8 \\
3 & 6 & 9
\end{array}
$$

sum(v, 1)

## Vectorization

sum_v = sum(v)
What if $\min (\operatorname{size}(\mathrm{v}))>$ I?

| [6 15 24] |  |  |
| :---: | :---: | :---: |
| 1 | 4 | 7 |
| 2 | 5 | 8 |
| 3 | 6 |  |

$\operatorname{sum}(\mathrm{v}, 1)$

## Vectorization

sum_v = sum(v)
What if $\min (\operatorname{size}(\mathrm{v}))>\mathrm{I}$ ?

$$
\begin{aligned}
& {\left[\begin{array}{lll}
6 & 15 & 24
\end{array}\right]} \\
& \begin{array}{|l|l|l|}
\hline 1 & 4 & 7 \\
2 & 5 & 8 \\
3 & 6 & 9
\end{array} \\
& 147 \\
& 258 \\
& 369 \\
& \text { sum(v, 1) } \\
& \text { sum (v, 2) }
\end{aligned}
$$

## Vectorization

sum_v = sum(v)
What if $\min (\operatorname{size}(\mathrm{v}))>\mathrm{I}$ ?
[6 I5 24]

| 1 | 4 | 7 |
| :--- | :--- | :--- |
| 2 | 5 | 8 |
| 3 | 6 | 9 |

sum(v, 1)

\[

\]

sum( $\mathrm{v}, \mathrm{2}$ )

## Vectorization Doesn't Always Work

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## Vectorization Doesn't Always Work

for $i=1:$ numel(dishes) wash_dish(dishes(i)) end


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Ask Piazza \#matlab if you have questions!

## Logical indexing

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for i = 1:num_animals if weight(i) > 30 is_dog(i) = true else is_cat(i) = true end end

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## Logical indexing

for i = 1:num_animals if weight(i) > 30 is_dog(i) = true else is_cat(i) = true


## Logical indexing

is_dog = weight > 30;
is_cat = ~is_dog;

## Logical indexing

is_dog = weight > 30;
is_cat $=$ ~is_dog;
A = mean(weight(is_dog));

## Logical indexing

$$
\begin{aligned}
& \text { is_dog }=\text { weight > } 30 ; \\
& \text { is_cat }=\sim i s \_d o g ;
\end{aligned}
$$

# A = mean(weight(is_dog)); 

- computes mean dog weight


## Logical indexing

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weight(is_dog) = [];


## Logical indexing

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- computes mean dog weight
weight(is_dog) = [];
- erases all dog weights


## Logical Indexing Pitfalls

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## - [0 $\left.\begin{array}{llllll}0 & 1 & 1 & 0 & 0 & 1\end{array}\right]$ is NOT logical

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$$
\begin{aligned}
& -\left[\begin{array}{llllll}
0 & 1 & 1 & 0 & 0 & 1
\end{array}\right] \text { is NOT logical } \\
& \bullet\left[\begin{array}{llllll}
0 & 1 & 1 & 0 & 0 & 1
\end{array}\right]>0 \text { IS logical }
\end{aligned}
$$

## Logical Indexing Pitfalls

- [0 1 1 10001 ] is NOT logical - [0 11100 1]>0 IS logical
- Size of indexing matrix and target matrix must be exactly equal


## Logical Indexing Pitfalls

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- Size of indexing matrix and target matrix must be exactly equal
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- Size of indexing matrix and target matrix must be exactly equal
- Size of assignment target must be [00], [I I] or equal
- Useful functions: any () , all()


## Putting it all together

```
tic
for r = 1:1000
    rollidx = 1:5;
    y = zeros(5,1);
    for t = 1:3
        Y(rollidx) = floor(unifrnd( ...
            0,6, numel(rollidx) , 1 ) ) +1;
            rollidx = find(y~=mode(y));
    end
    yamslam(r) = all(y==y(1));
end
toc
disp(['Probability of yamslam: ' ...
    num2str(mean(yamslam))])
```


## Putting it all together

## logical indexing

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## How we use Matlab in CIS520

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- Homeworks will consist of 2 parts:


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- Analysis your results in a brief report


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- Homeworks will consist of 2 parts:
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- Final project will be a competition


## How we use Matlab in CIS520

# How we use Matlab in CIS520 

- We will cover submitting / testing Matlab assignments when first HW goes out


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- Knowing Matlab basics BEFORE starting assignments will make things easier


# How we use Matlab in CIS520 

- We will cover submitting / testing Matlab assignments when first HW goes out
- Knowing Matlab basics BEFORE starting assignments will make things easier
- Expect to spend > 10 hrs per assignment


## What you should do next

- Things not covered today: plotting, data input/output, debugging, etc...
- Follow the online Matlab materials at: https://alliance.seas.upenn.edu/~cis520/wiki/ index.php?n=Recitations.MatlabTutorial

