

Putting it together

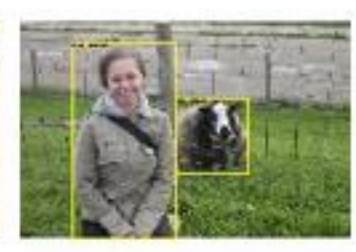
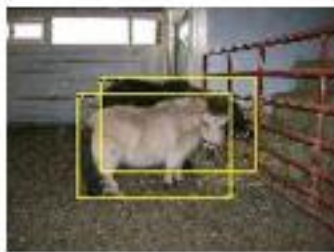
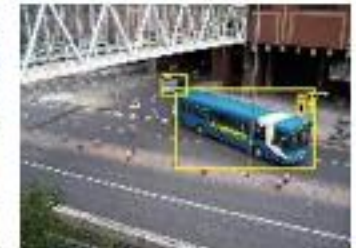
What we see



What we really see



Object Detection



Object Segmentation

Image



Objects



Class



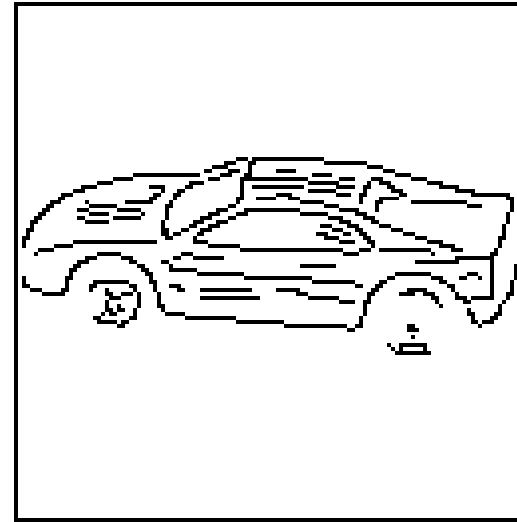
Image



Person Layout



Basic Shape Comparison



Let p, q be two edge sets to be compared

$$ShapeDiff(p, q) = \sum_{x \in p} \min_{y \in q} \|x - y\|^2$$

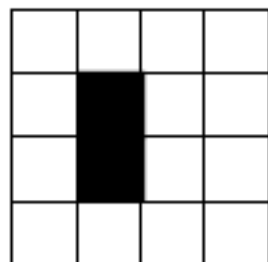
Distance transform: $D_q(x)$

Distance Transform Definition

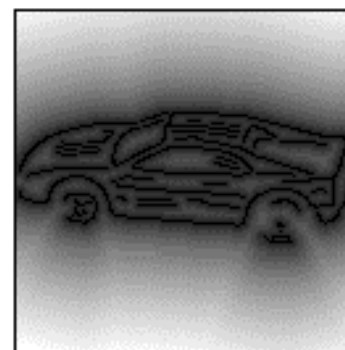
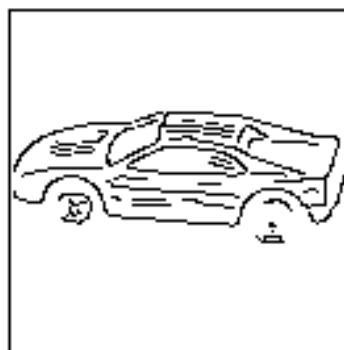
Set of points, P , some distance $\| \bullet \|$

$$D_P(x) = \min_{y \in P} \|x - y\|$$

- For each location x distance to nearest y in P
- Think of as cones rooted at each point of P



2	1	2	3
1	0	1	2
1	0	1	2
2	1	2	3



- Two pass $O(n)$ algorithm for 1D L_1 norm (for simplicity just distance)

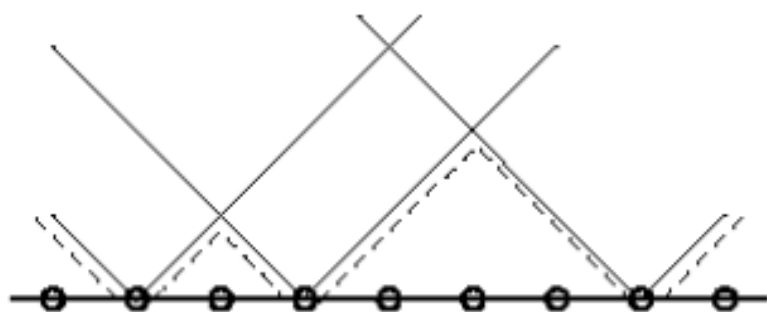
1. Initialize: For all j
 $D[j] \leftarrow 1_p[j]$

2. Forward: For j from 1 up to $n-1$
 $D[j] \leftarrow \min(D[j], D[j-1]+1)$

1	0
---	---

3. Backward: For j from $n-2$ down to 0
 $D[j] \leftarrow \min(D[j], D[j+1]+1)$

0	1
---	---



∞	0	∞	0	∞	∞	∞	0	∞
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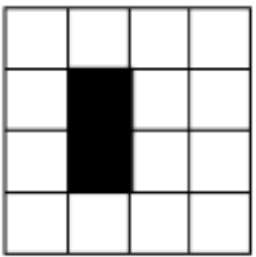
∞	0	1	0	1	2	3	0	1
----------	---	---	---	---	---	---	---	---

1	0	1	0	1	2	1	0	1
---	---	---	---	---	---	---	---	---

- 2D case analogous to 1D
 - Initialization
 - Forward and backward pass
 - Fwd pass finds closest above and to left
 - Bwd pass finds closest below and to right
- Note nothing depends on $0, \infty$ form of initialization
 - Can "distance transform" arbitrary array

-	1
1	0

0	1
1	-



∞	∞	∞	∞
∞	0	∞	∞
∞	0	∞	∞
∞	∞	∞	∞

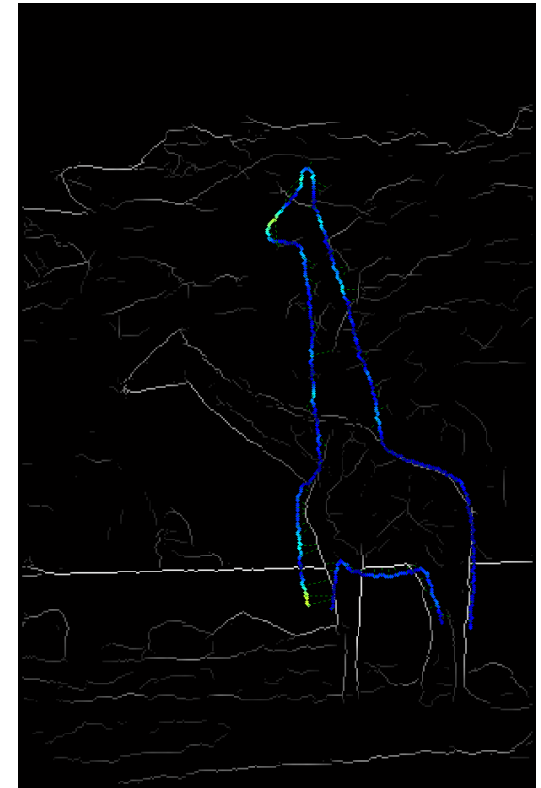
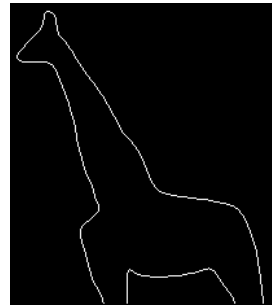
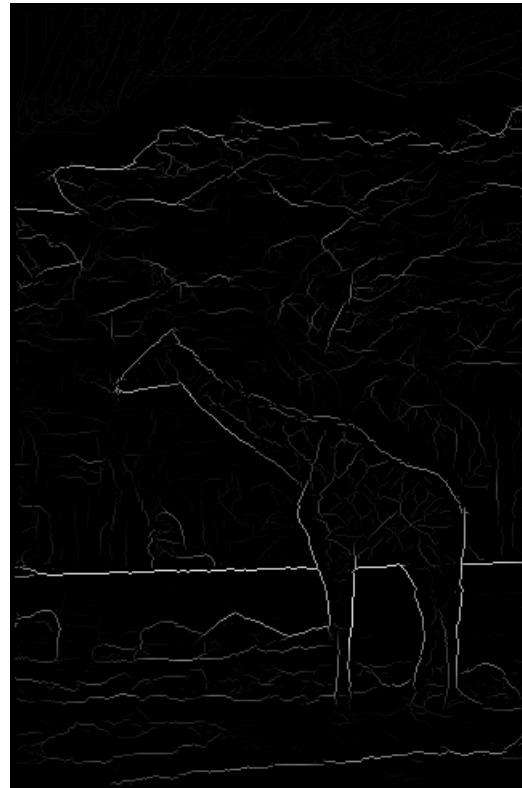
∞	∞	∞	∞
∞	0	1	∞
∞	0	∞	∞
∞	∞	∞	∞

∞	∞	∞	∞
∞	0	1	2
∞	0	1	2
∞	1	2	3

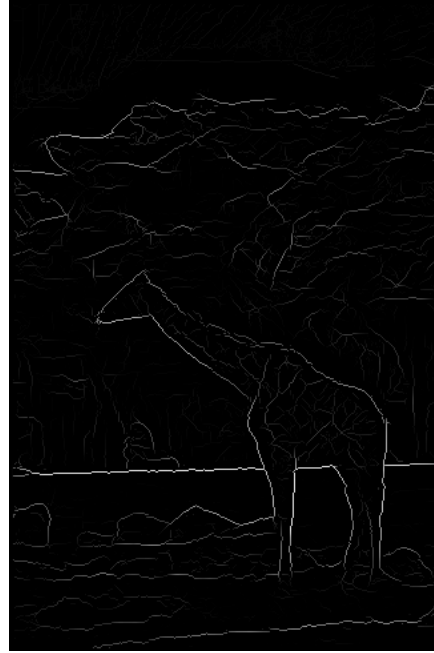
2	1	2	3
1	0	1	2
1	0	1	2
2	1	2	3

Deformable Shape

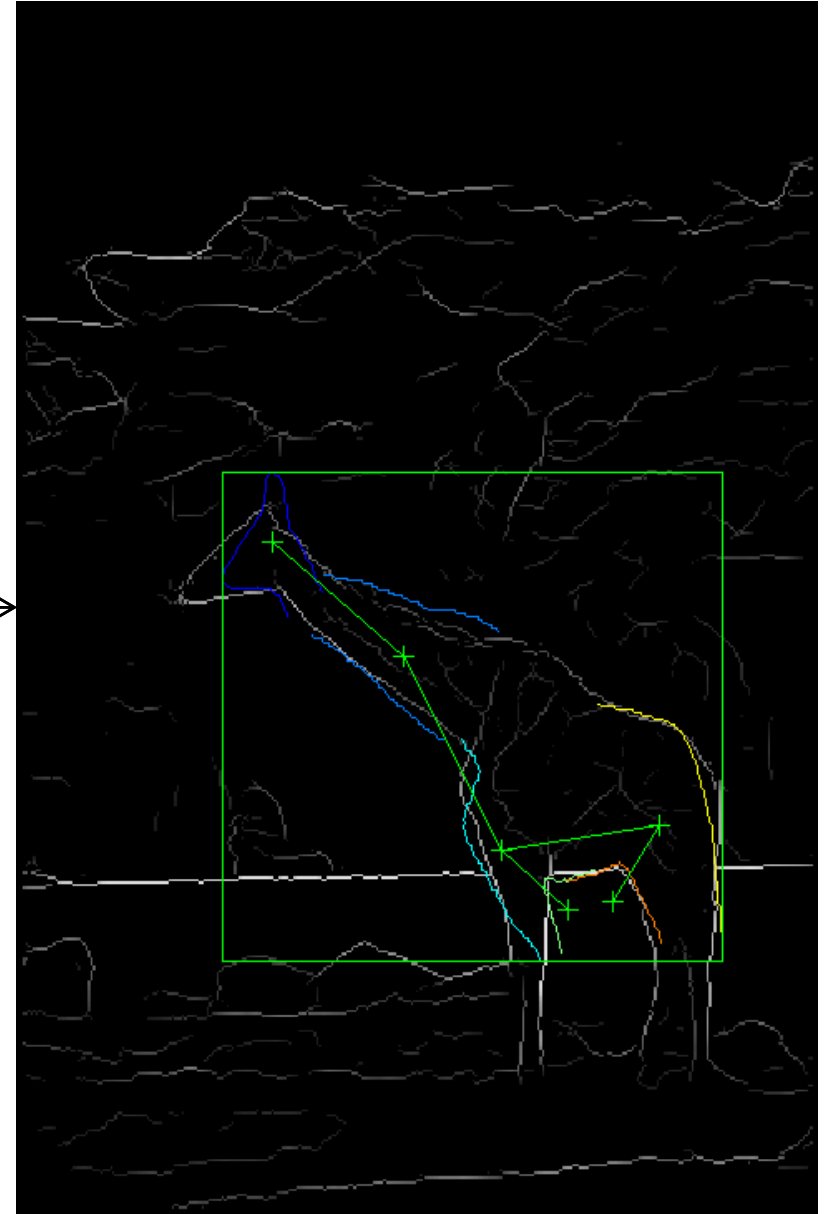
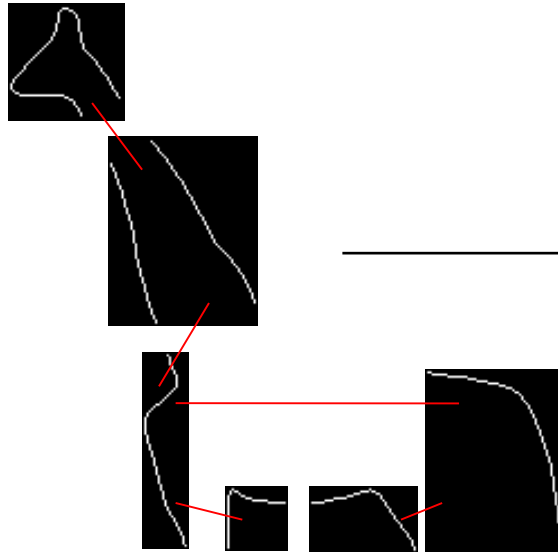
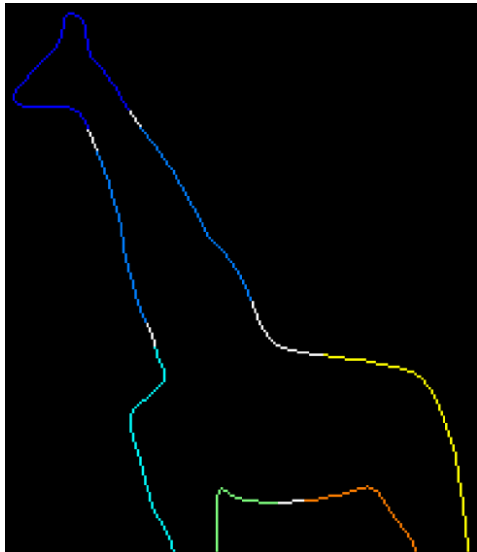
Applying chamfer matching directly



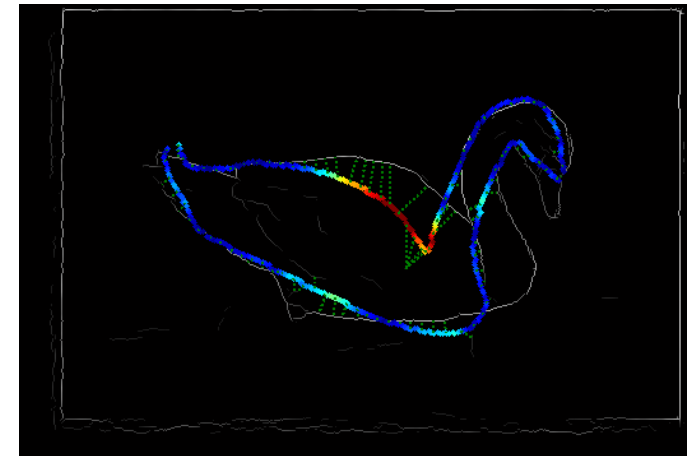
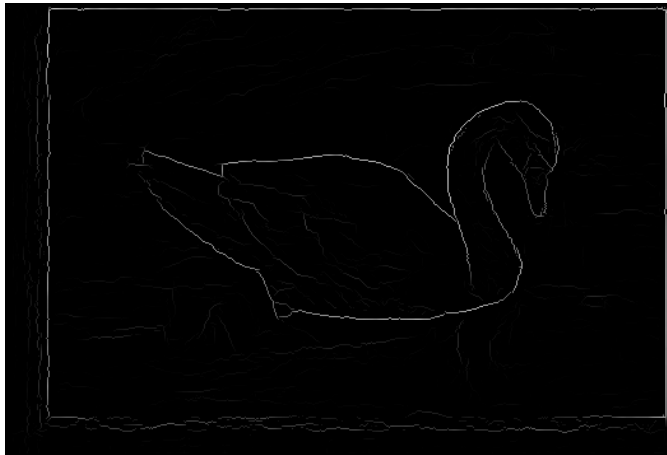
Deformable part model detection with 6



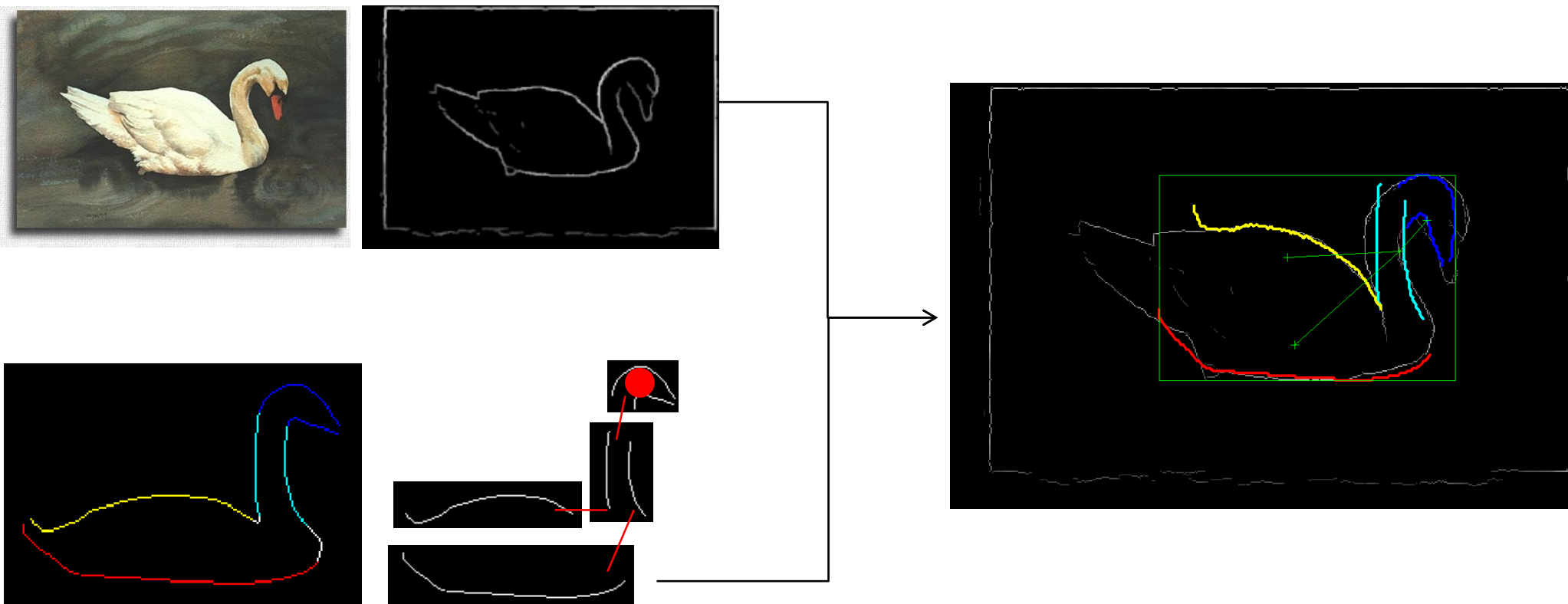
parts



Applying chamfer matching directly



Deformable part model detection with 4 parts

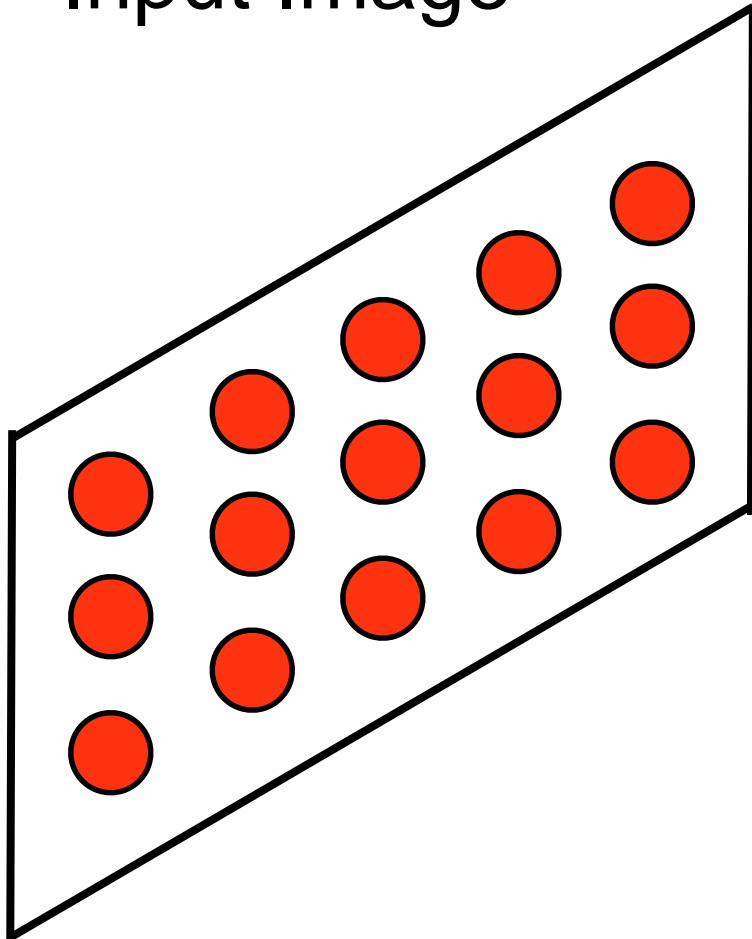


model

Voting based shape detection

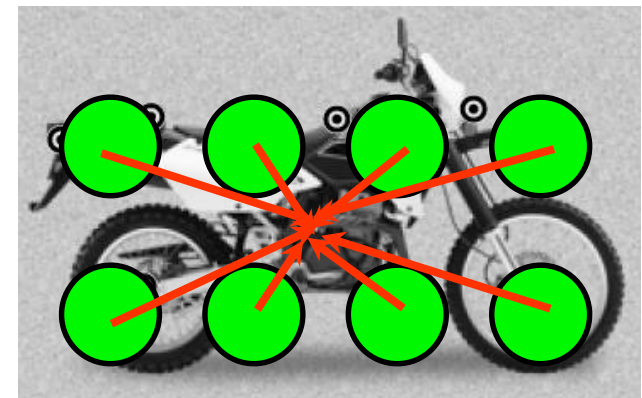
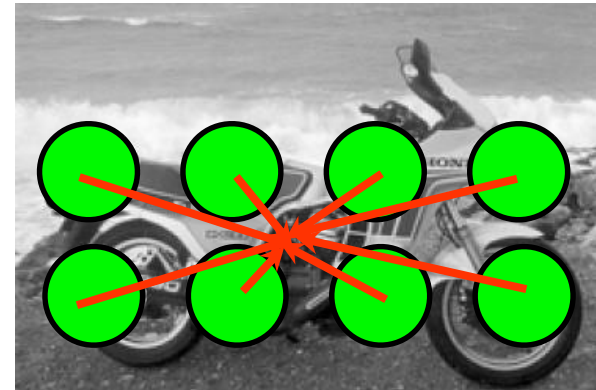
Simplified

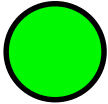

Input Image



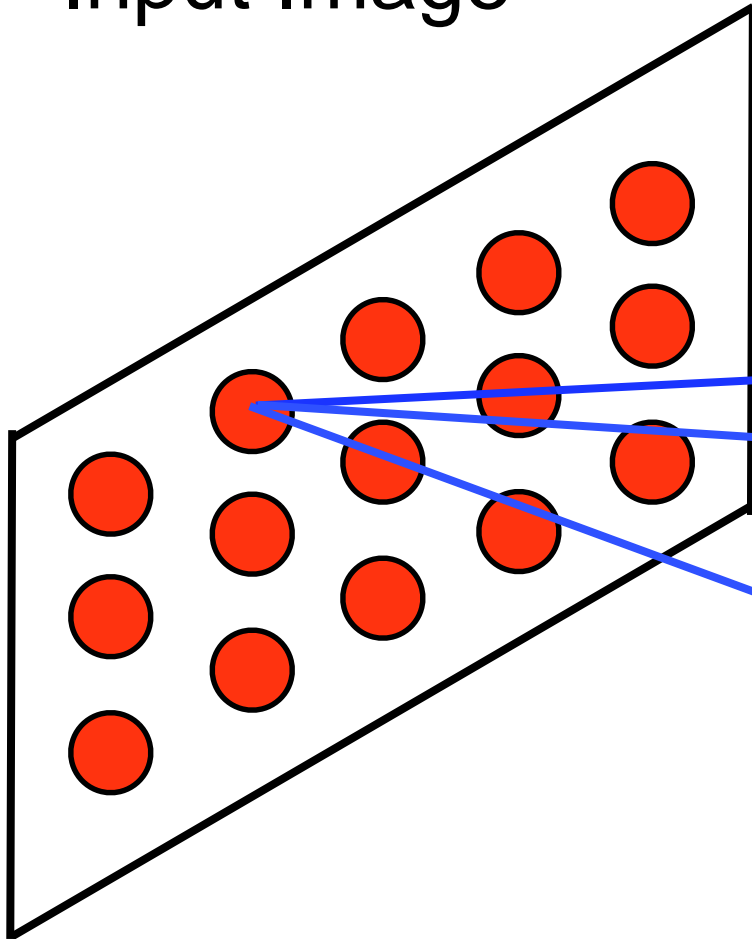
Construct a code book for each model points:
(green) nodes

Model

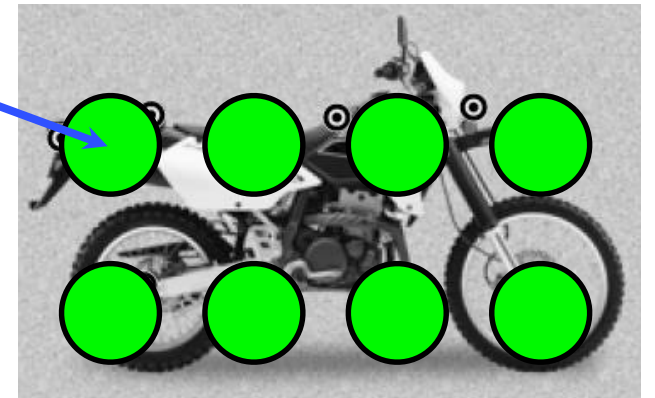


Code:  =
(Hog or Shape Context +
offset to center )

Input Image



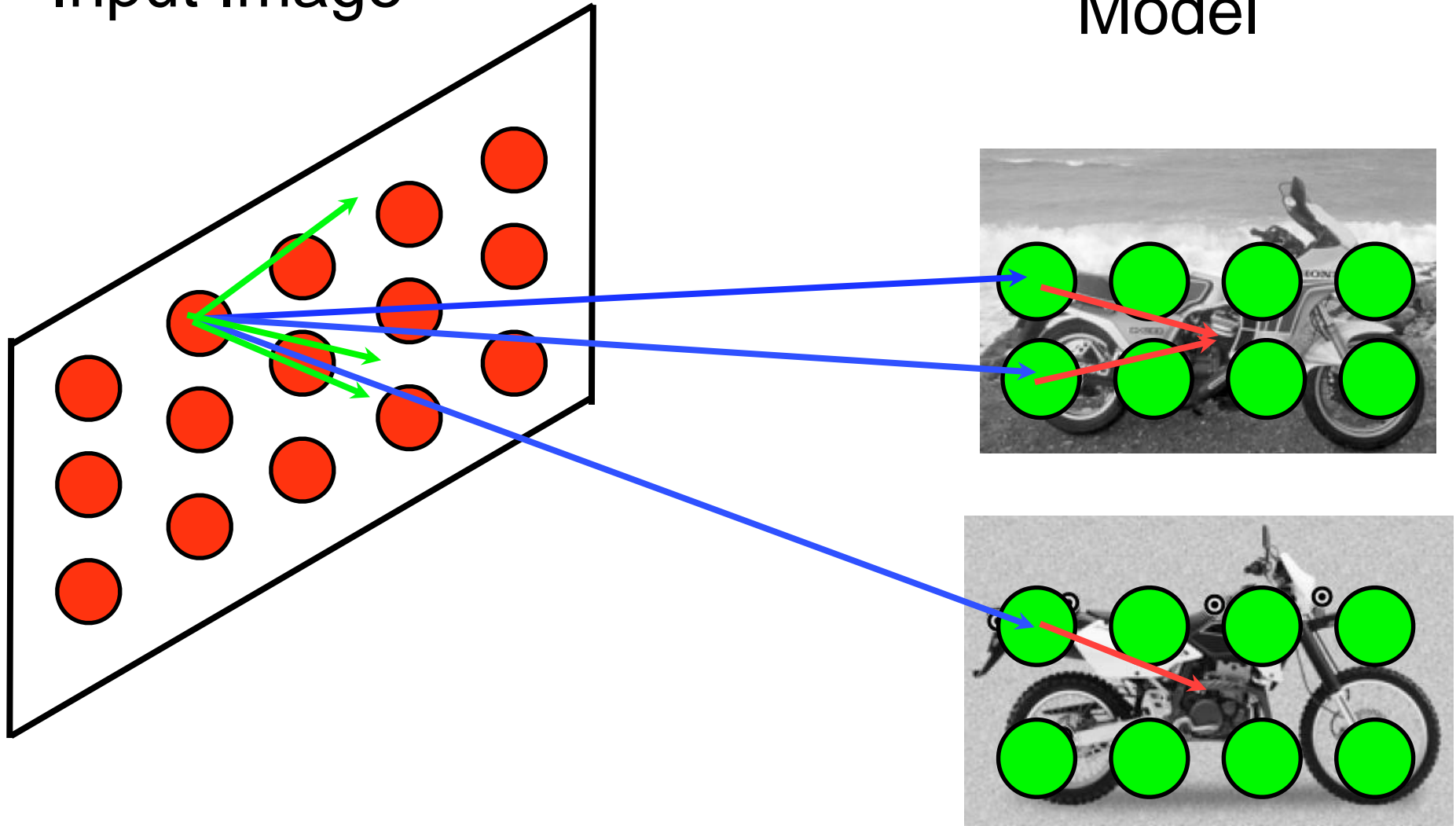
Model



scan over image points, find the top k matches in model

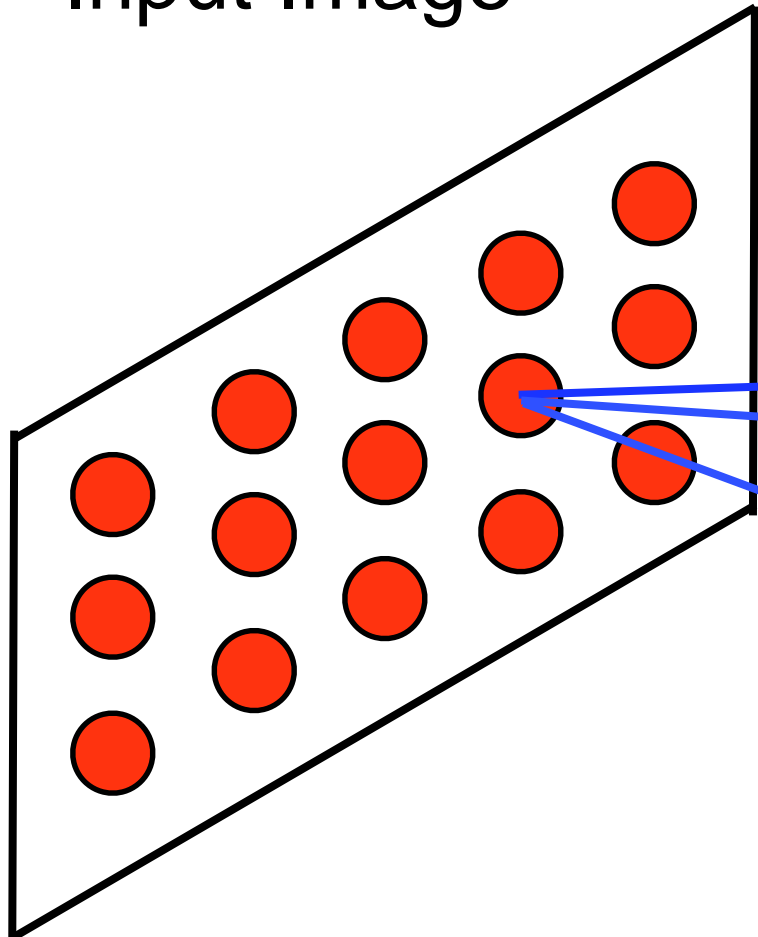
Input Image

Model

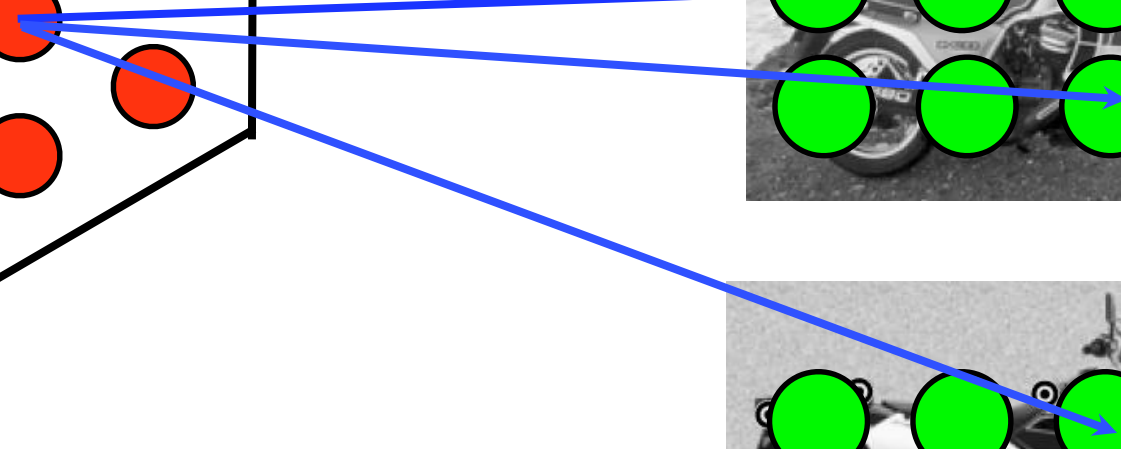
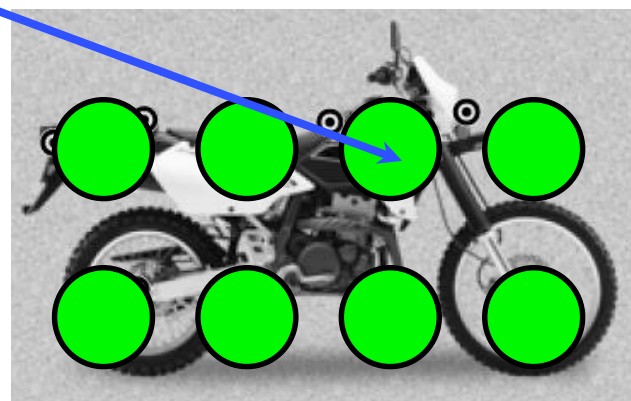
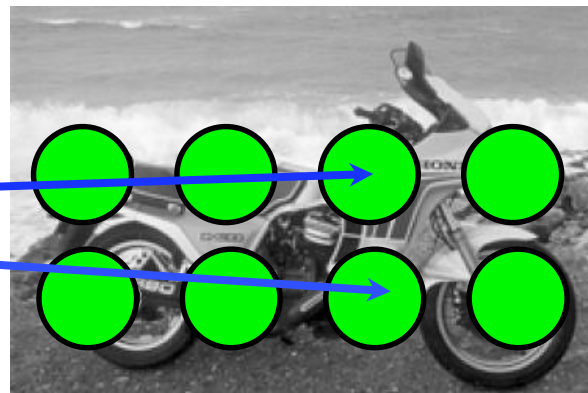


Create vote map in Input image, based on the top k matches in model

Input Image



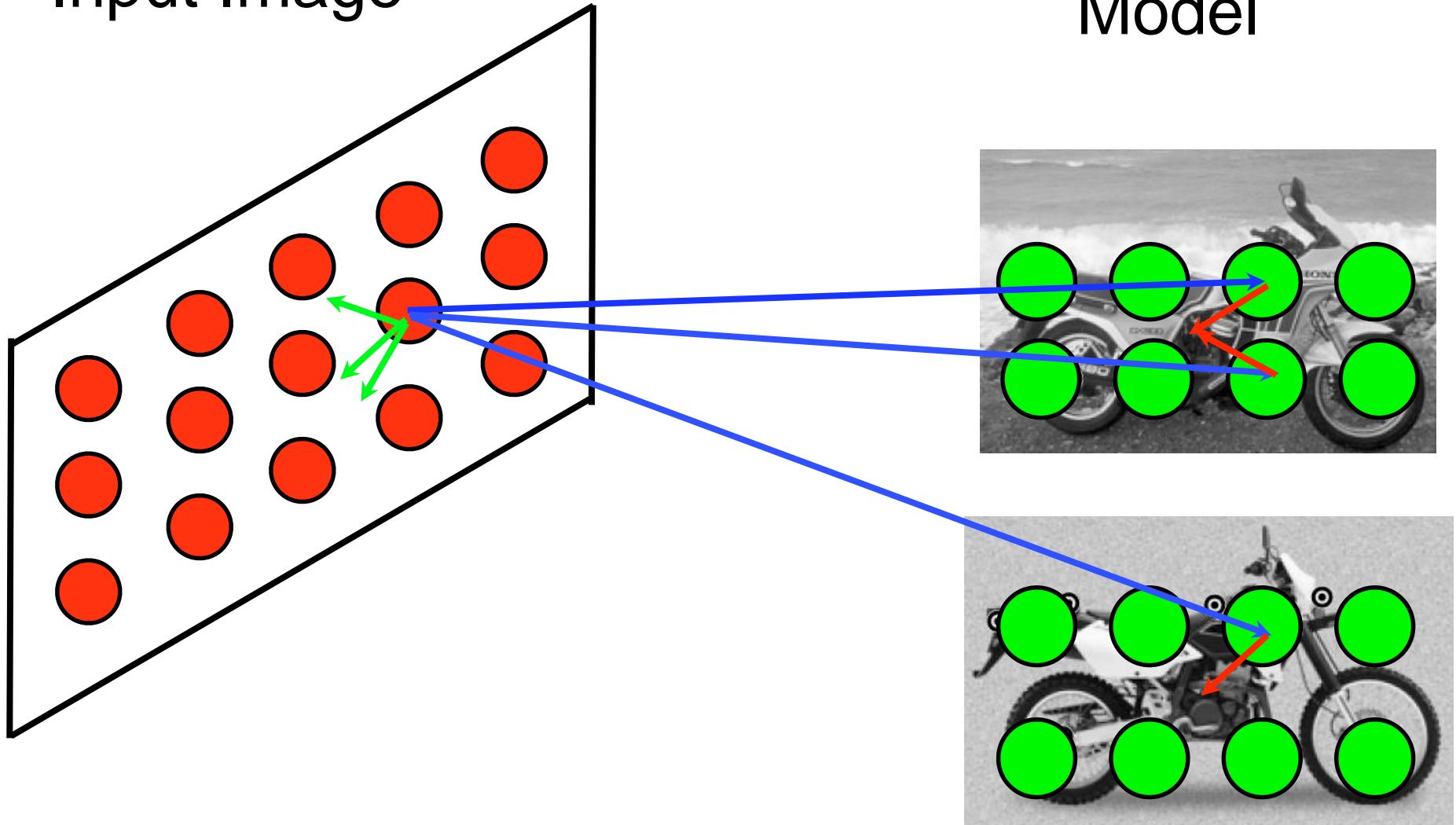
Model



scan over image points, find the top k matches in model

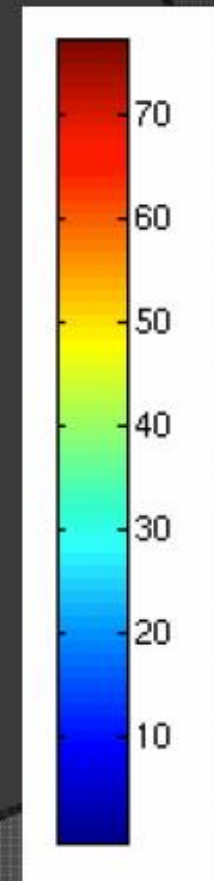
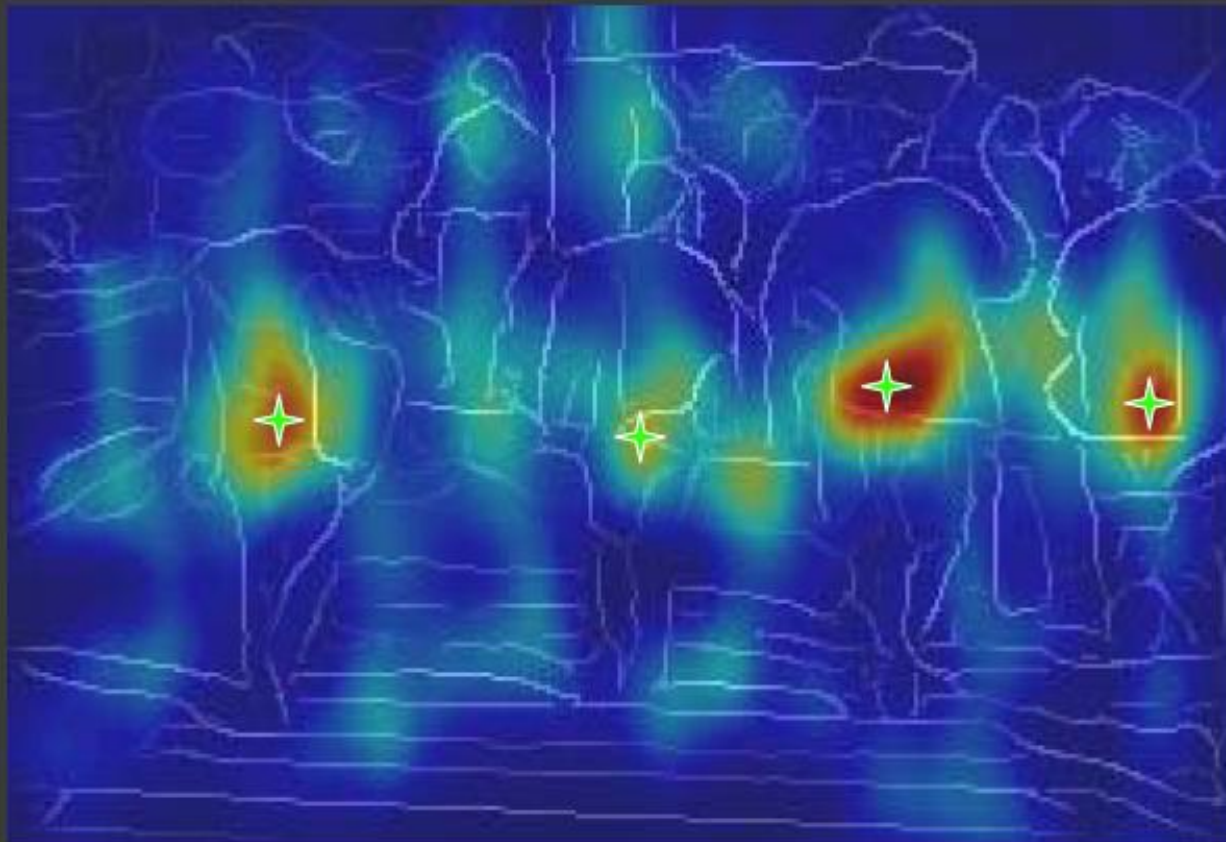
Input Image

Model

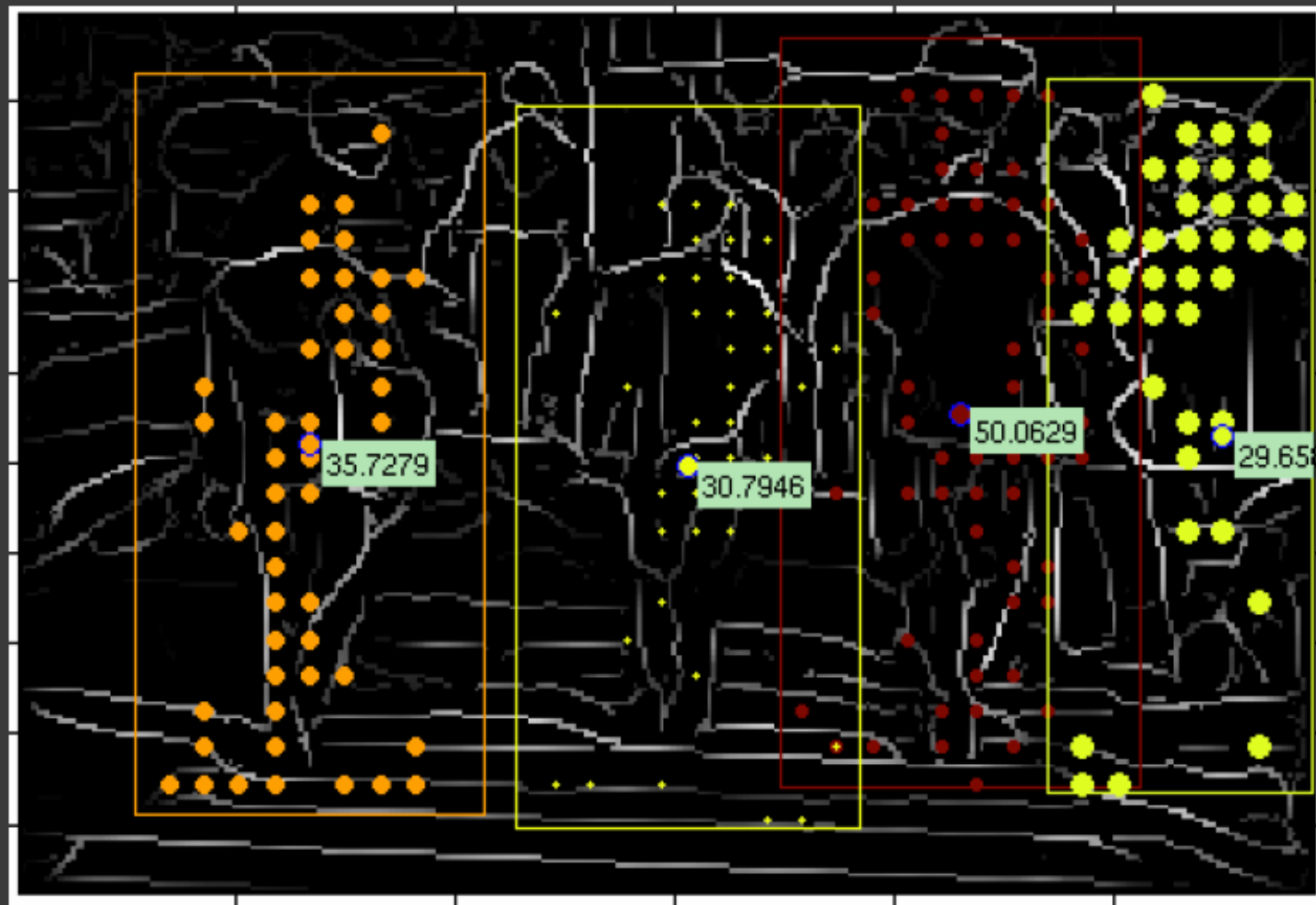


- 1) Create vote map in Input image, based on the top k matches in model
- 2) Summing up the map

Using this 'score map', we can choose hypotheses centers on it (green stars).



For each hypothesis position,
trace back to find its voters.

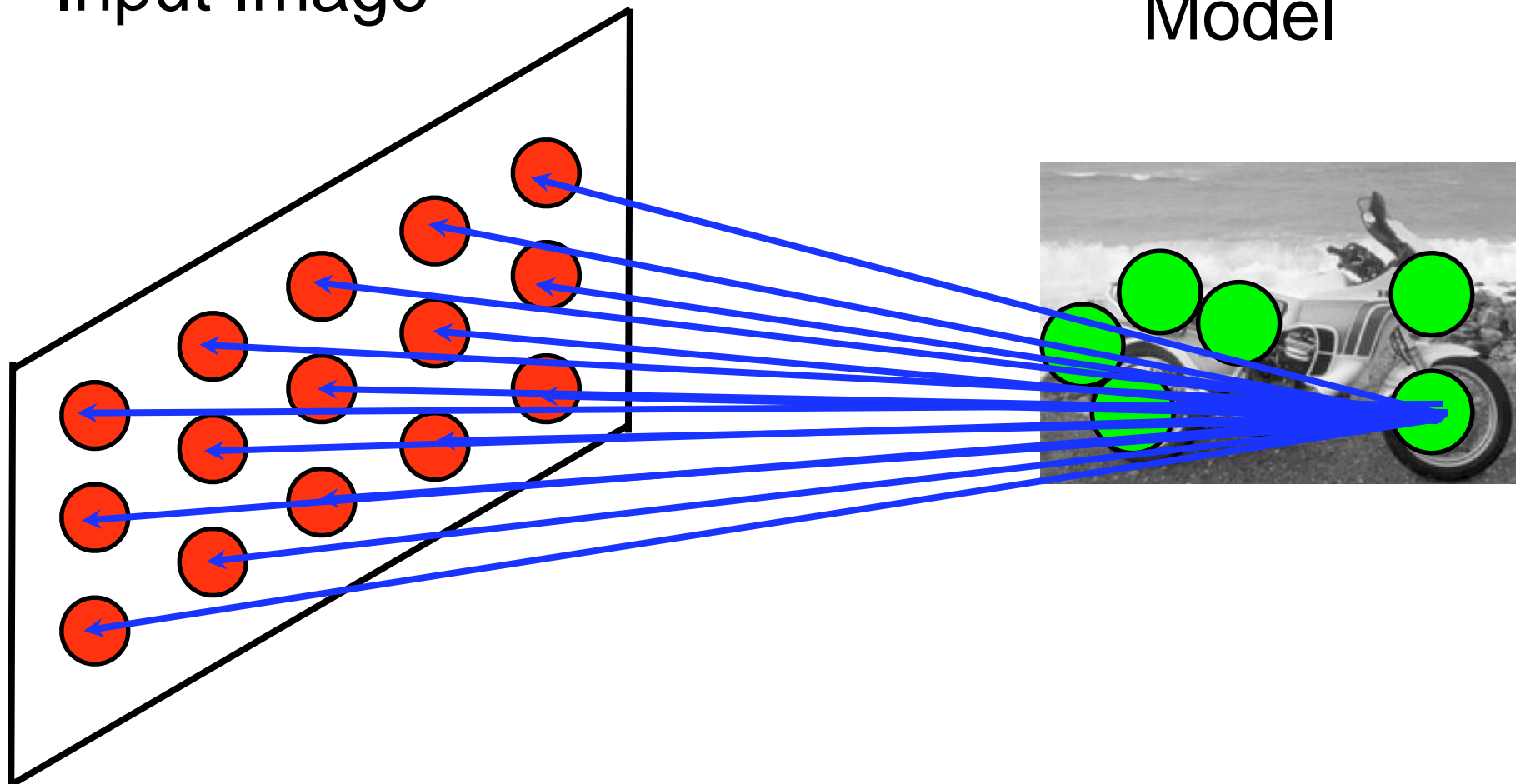


Note: the numbers inside the rectangles are scores for each hypothesis after enforce one-2-one match, so they are a bit lower than voting scores.

Pictorial Structure Simplified

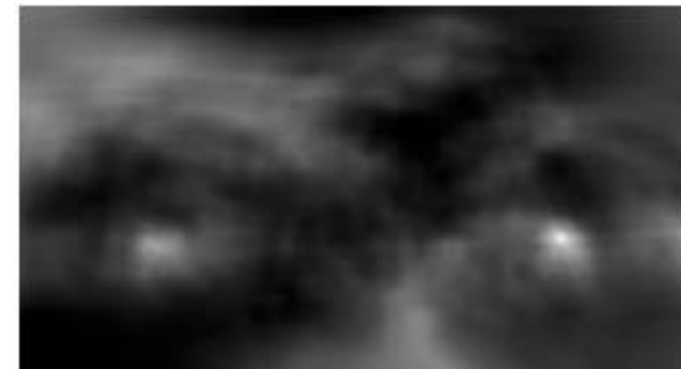
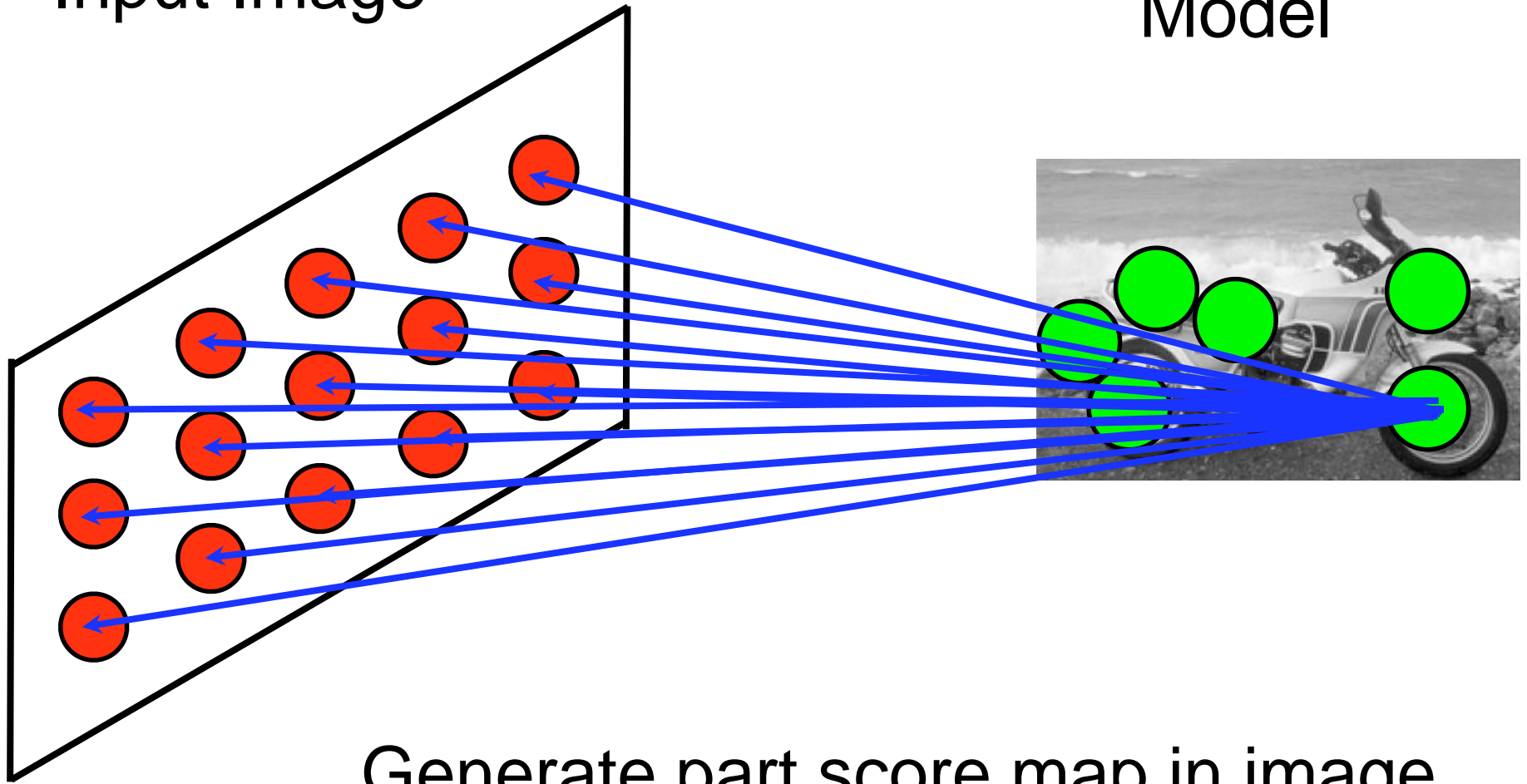
Input Image

Model



Input Image

Model





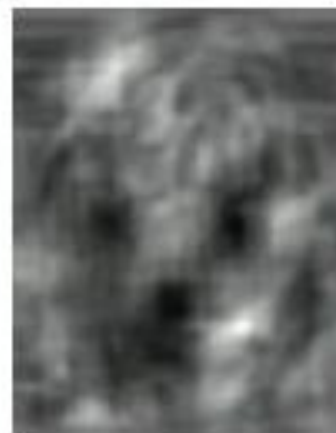
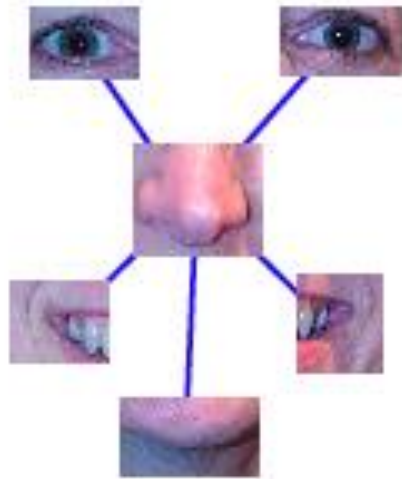
Left eye



Right eye



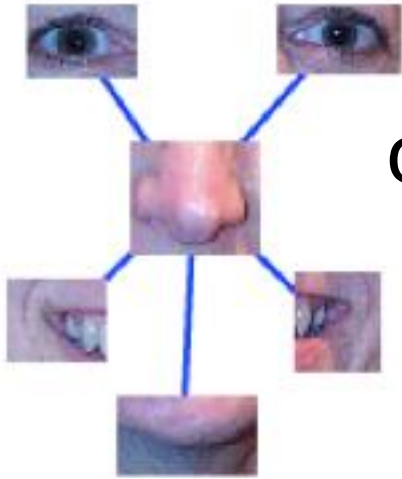
Nose



Left mouth Right mouth

Chin

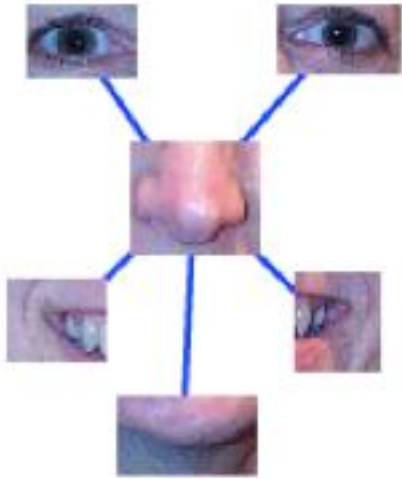
Combine multiple part score function into one score map



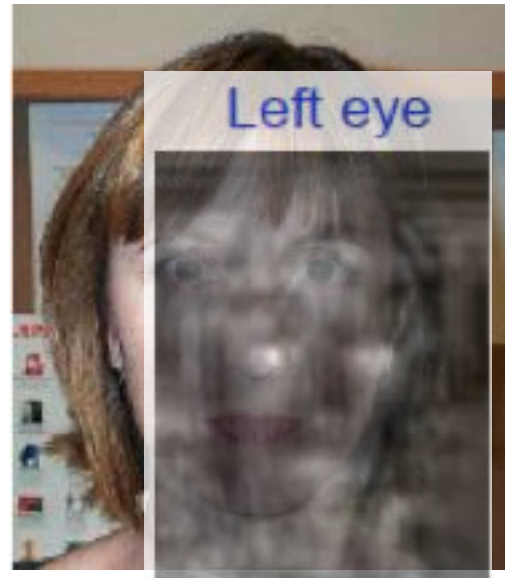
construct a 'star' graph, with parts as nodes
pick one node as "root"

Left eye

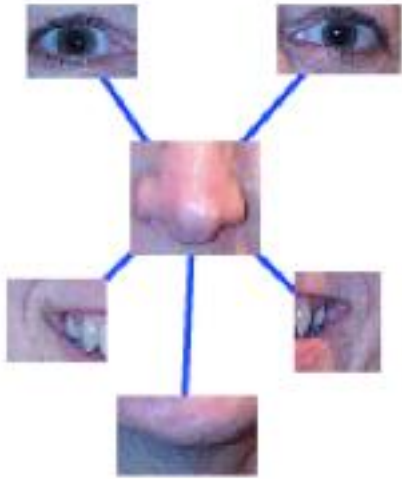




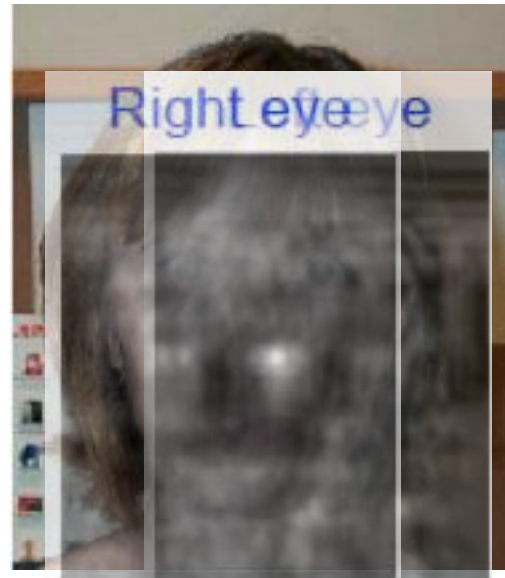
For each non-root node:



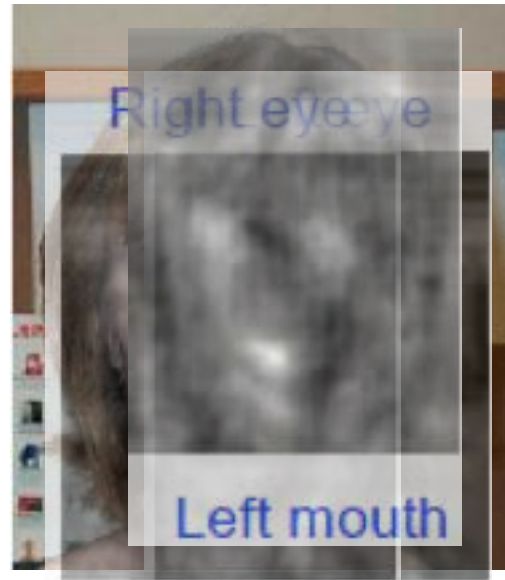
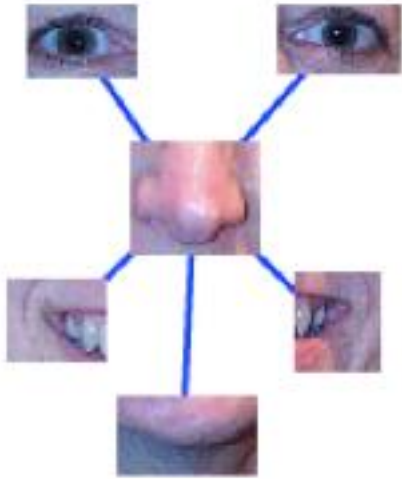
Shift score map for Left eye onto
center(nose)



Right eye

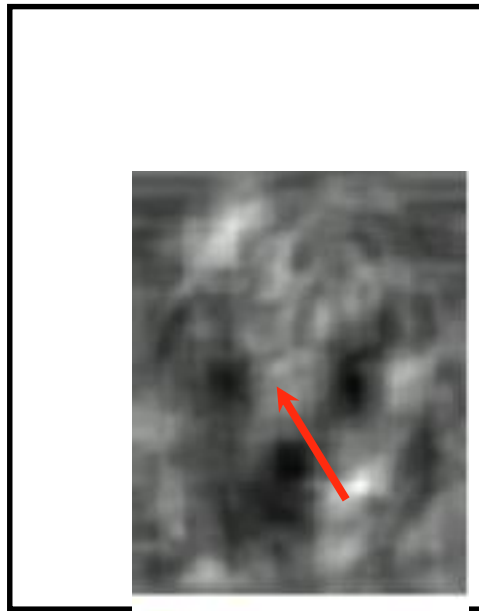
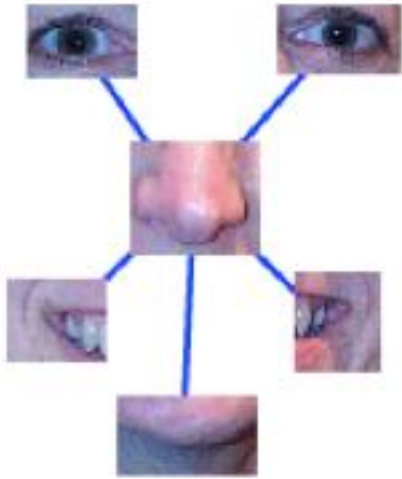


Shift score map for Right eye onto center(nose)



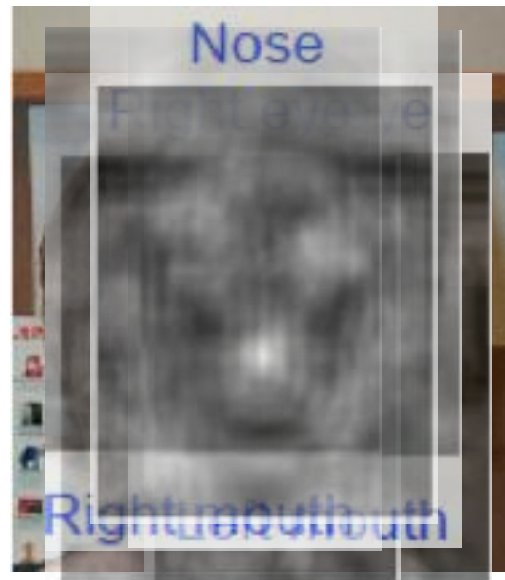
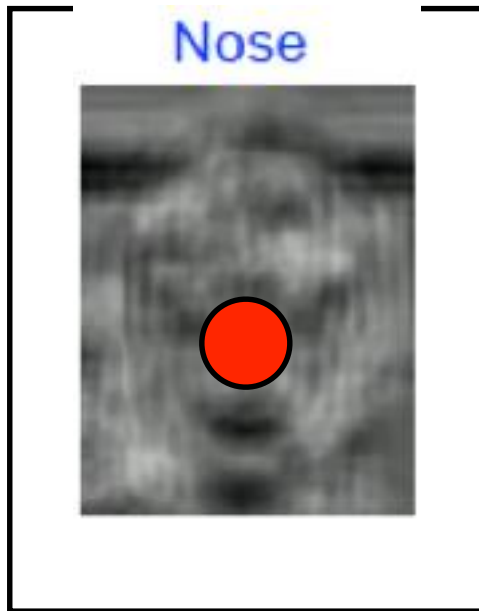
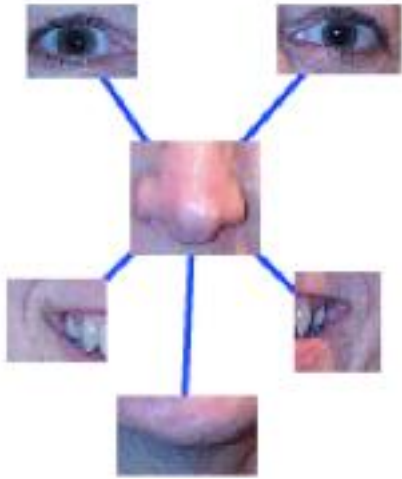
Left mouth

Shift score map for Left mouth onto center(nose)



Right mouth

Shift score map for Right mouth onto center(nose)



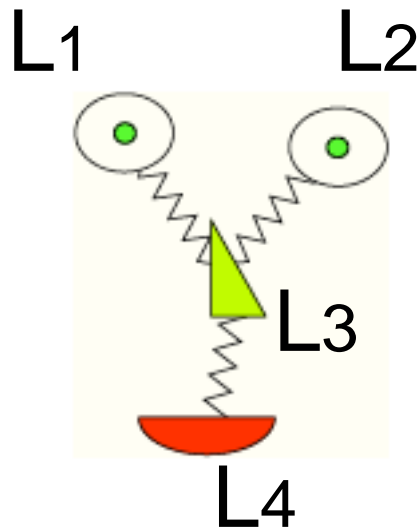
Add up all the part vote score maps

Object Representation

Pictorial Structure

Object Representation

- Object with n parts labeled 1 through n



- Object configuration given by: $L = (l_1, \dots, l_n)$

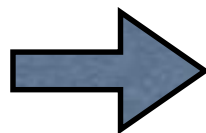
- Location of each part

$$(L_1, L_2, L_3, L_4) = ((300, 200), (300, 250), (330, 230), (360, 230))$$

Find the most probable configuration of the object,

$$P(L|I) \propto P(I|L)P(L)$$

Appearance Geometry



Geometrical model: $P(L)$

Appearance model: $P(I|L) \propto \prod g_i(I, l_i)$

Part-based Object Representation

Geometrical model: $P(L)$

measuring “goodness” of the part configuration

Appearance model: $P(I|L) \propto \prod g_i(I, l_i)$

image Label

measuring “goodness” of the part appearance

Part-based Object Representation

Find the most probable configuration of the object,

$$P(L|I) \propto P(I|L)P(L)$$

Appearance

Geometry

- Size of configuration space is exponential
 - n parts, m locations - $O(m^n)$ configurations
 - Use implicit search techniques

S o l u t i o n

1) Reduce number of possible feature locations, by feature detection.

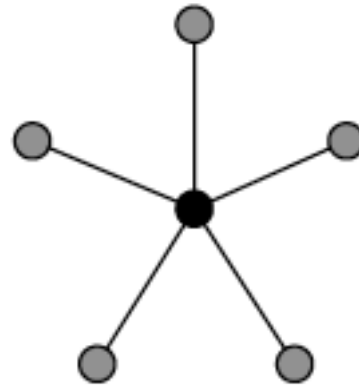
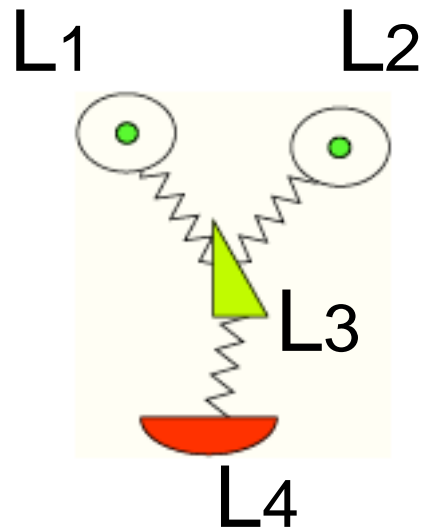
-- a possible solution is use shape context features

2) Find efficient way of dealing large number of features, each of which has a goodness measure

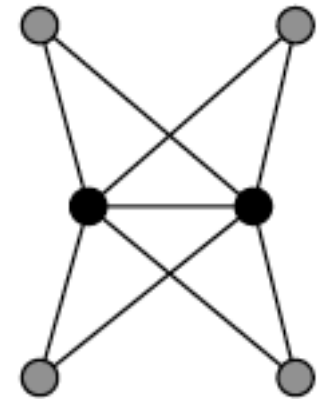
-- we will cover this story here...

Geometrical model: $P(L)$

measuring “goodness” of the part configuration



1-fan



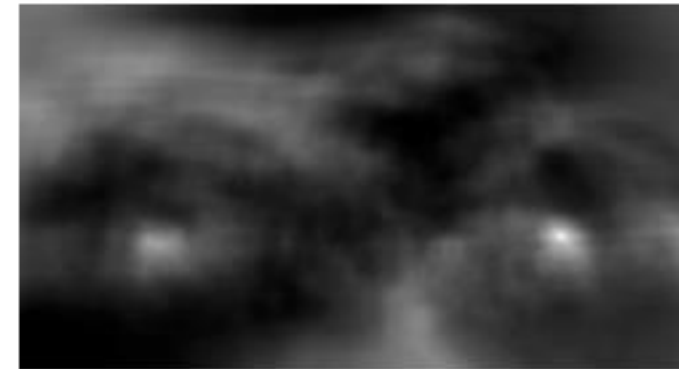
2-fan

Simplifying “goodness” measure using k-fan model

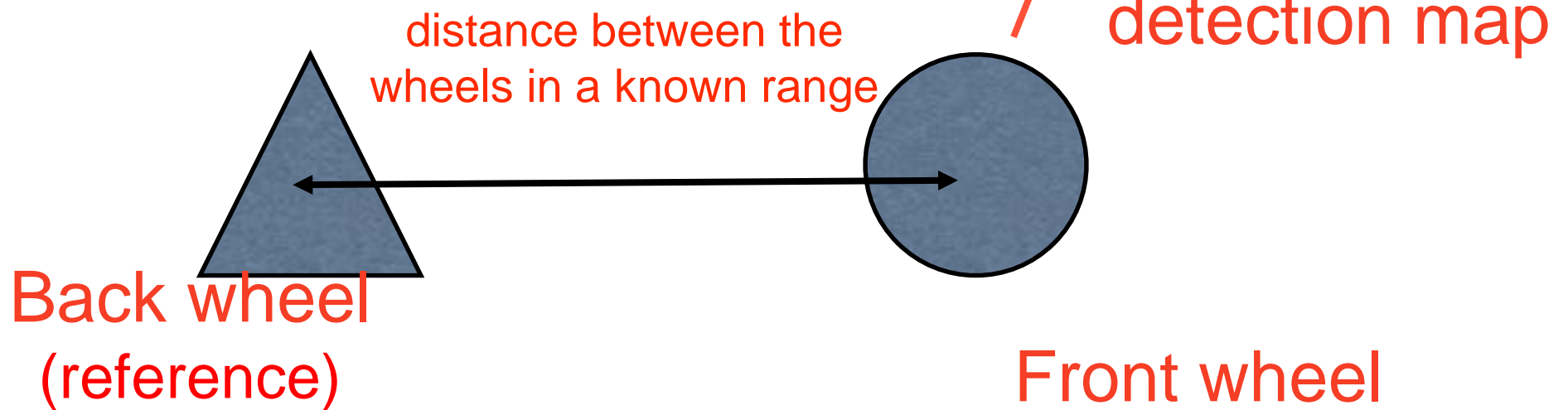
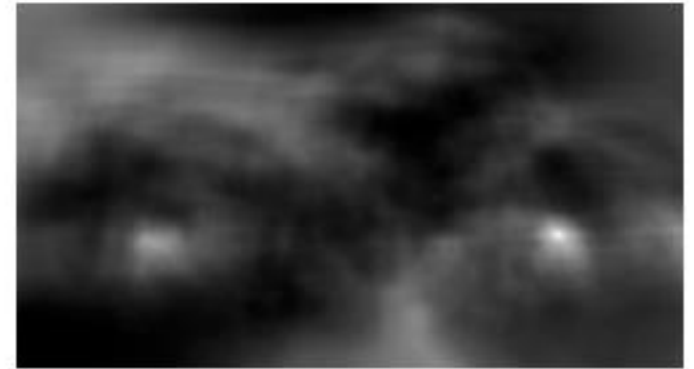
1) we only check if the parts configuration between the reference node(nose in this case), with all other nodes

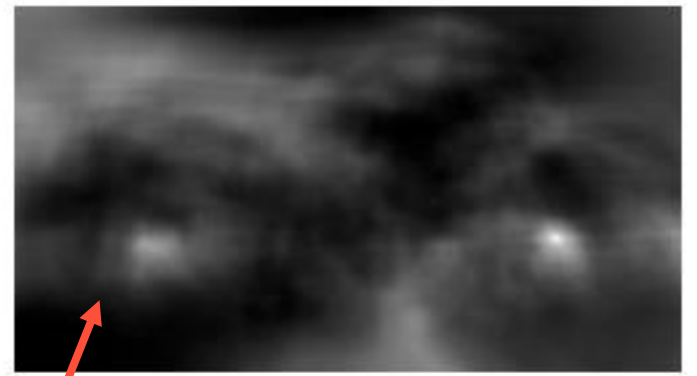
Dealing with “soft” features

- Recognition without feature detection
 - Single overall inference problem
 - Parts have a match quality at each location



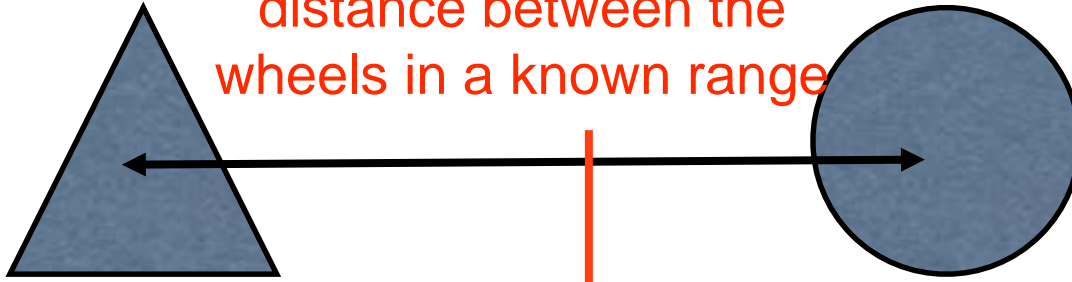
A simplified object of two parts (front & back wheel)





Soft object
detection map

distance between the
wheels in a known range

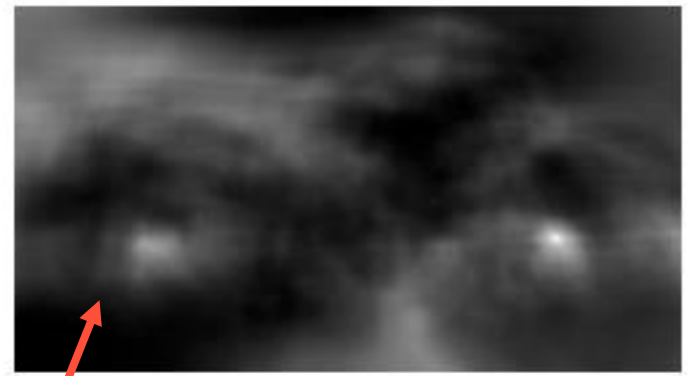


p : location of back wheel

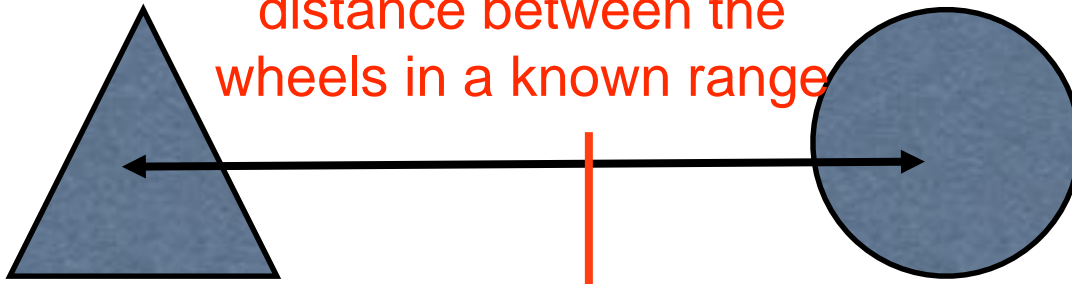
q : location of front wheel

$$L(p, q) = f(p) + h(p - q) + f(q)$$

Soft part detection measure for p configuration goodness (p, q) Soft part detection measure for q



Soft object detection map



distance between the wheels in a known range

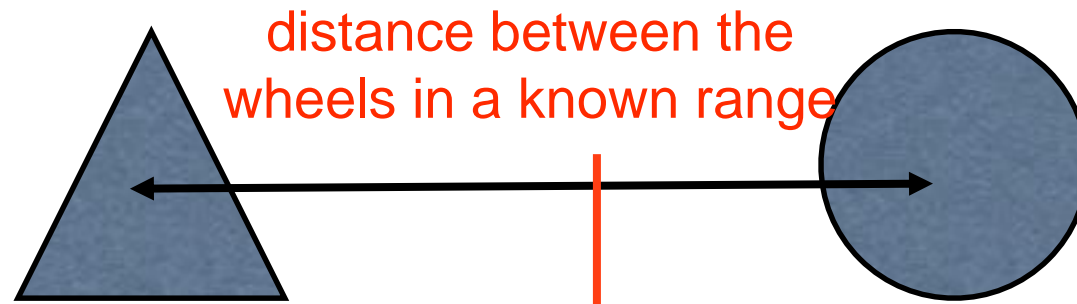
p : location of back wheel

q : location of front wheel

$$L(p, q | I) = f(p) + h(p - q) + f(q)$$

In this case p, q each has n (image size=1 million) possible locations, $L(p, q | I)$ has n^2 (Trillion) possible solutions

fast solution is needed!



p : location of back wheel

q : location of front wheel

$$L(p, q) = f(p) + h(p - q) + f(q)$$

$$\min_{(p, q)} L(p, q) = \min_{(p, q)} f(p) + h(p - q) + f(q)$$

$$= \min_{(p)} \left(f(p) + \min_{(q)} (f(q) + h(p - q)) \right)$$

$D_q(p)$: generalized distance transform

This can be computed in linear time!

Generalized distance transform

Given a function $f: \mathcal{G} \rightarrow \mathbb{R}$,

$$\mathcal{D}_f(q) = \min_{p \in \mathcal{G}} (||q - p||^2 + f(p))$$

- for each location q , find nearby location p with $f(p)$ small.
- equals DT of points P if f is an indicator function.

$$f(p) = \begin{cases} 0 & \text{if } p \in P \\ \infty & \text{otherwise} \end{cases}.$$

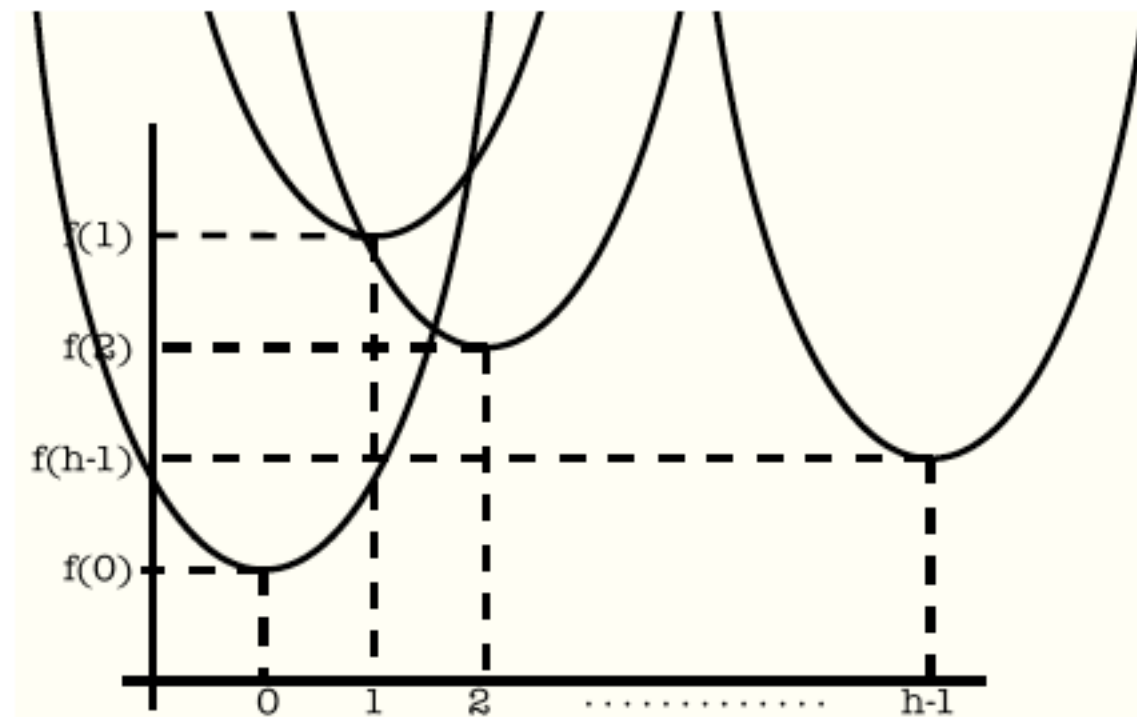
<http://www.cs.cornell.edu/~dph/papers/dt.p>

df

1D case:
$$\mathcal{D}_f(q) = \min_{p \in \mathcal{G}} ((q - p)^2 + f(p))$$

For each p , $\mathcal{D}_f(q)$ is below the parabola rooted at $(p, f(p))$.

$\mathcal{D}_f(q)$ is defined by the lower envelope of h parabolas.



There is an efficient exact inference for graph without loop

Procedure:

Step 1, order tree

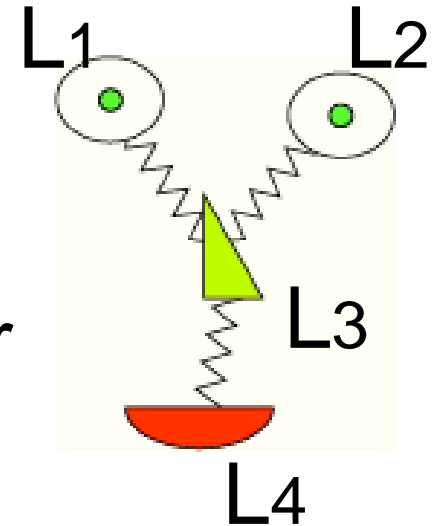
determine a root of the tree, and order the nodes according to its depth

Step 2-3: Gather information.

processing from the bottom of the tree (nodes with max. depth) backward to the root of the tree

Step 4-5: Decide at root, and propagate

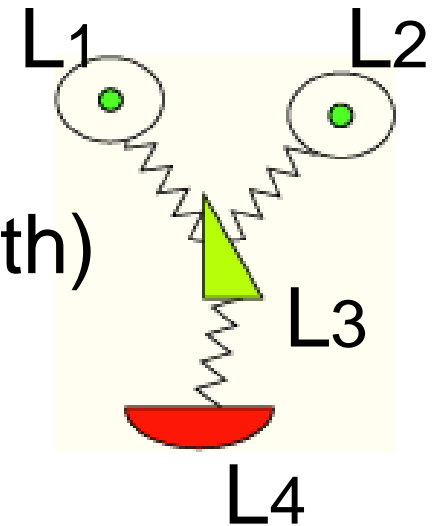
Make decision at the tree root, and recursively propagate the information down



Step 2: Gather Information for leaves nodes

for the leaf nodes, j , (nodes with max. depth)

Compute the following table, indexed by its possible parent node assignment:



$$B_j(l_i) = \min_{l_j} (m_j(l_j) + d_{ij}(l_i, l_j)),$$

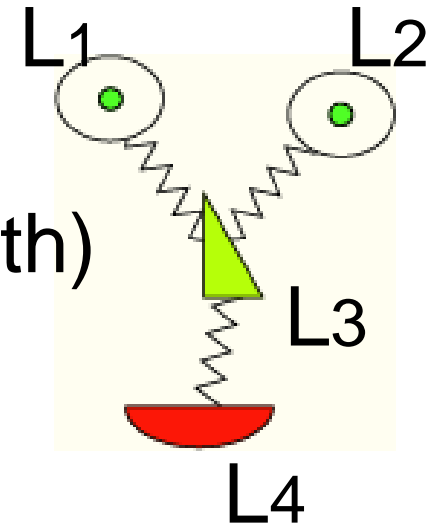
parent node label

Given a parent node label,
find the best label for itself

Step 2: Gather Information for leaves nodes

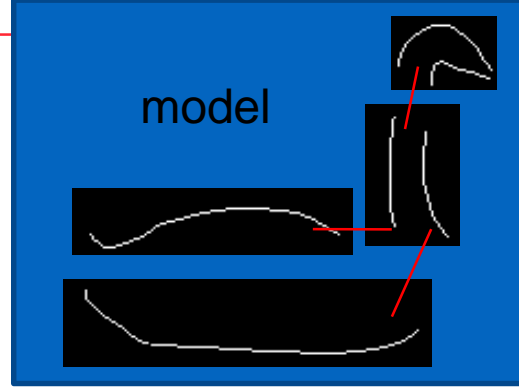
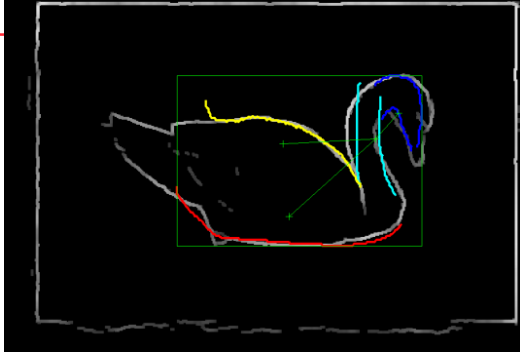
for the leaf nodes, j , (nodes with max. depth)

Compute the following table, indexed by its possible parent node assignment:

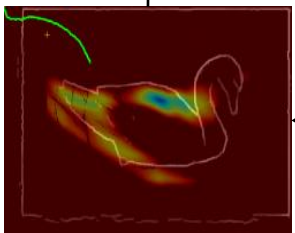
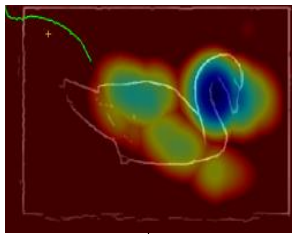


$$B_j(l_i) = \min_{l_j} (m_j(l_j) + d_{ij}(l_i, l_j)),$$

Important: we need to store both the optimal value I_j , as well the cost at the optimal label I_j



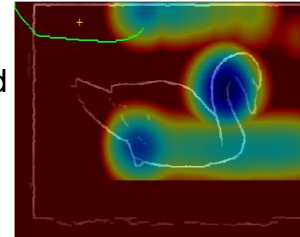
transformed cost



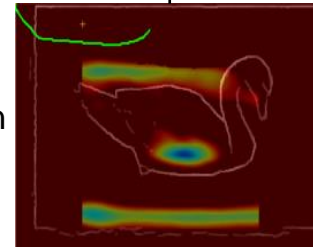
x



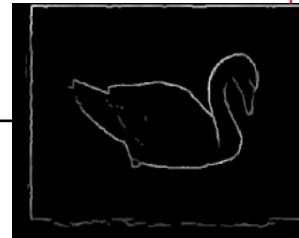
transformed cost



part detection cost



x



University of Pennsylvania



Step 3: Gather Information at inside node

for inside nodes, j , (not root, not leaves)

Compute the following table, indexed by its possible parent node assignment:

$$B_j(l_i) = \min_{l_j} \left(m_j(l_j) + d_{ij}(l_i, l_j) + \sum_{v_c \in C_j} B_c(l_j) \right) .$$



parent node label



do the best
for itself

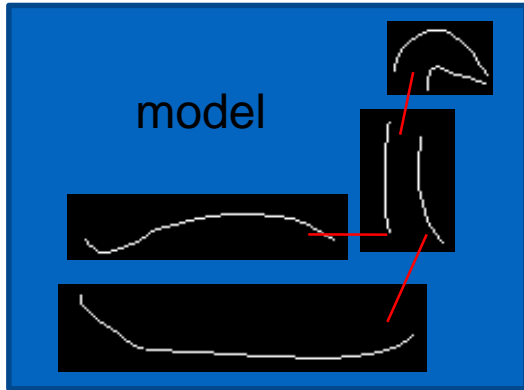
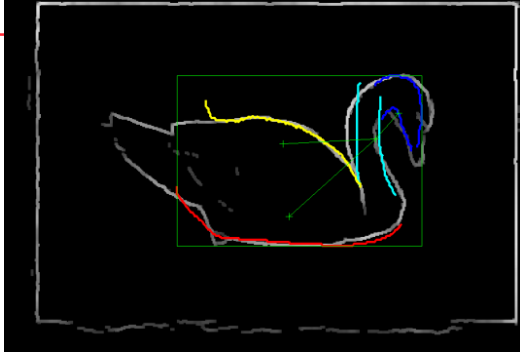


considering parent's
(i) preference

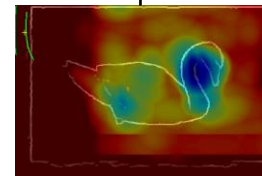
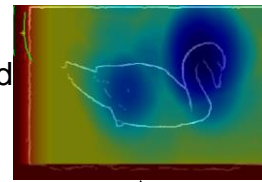


considering votes from
all its children (c)

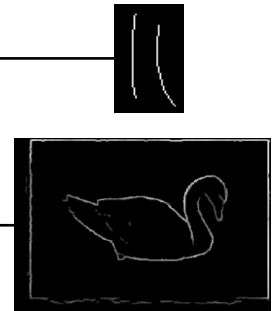
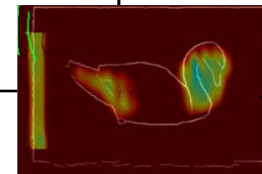




transformed cost



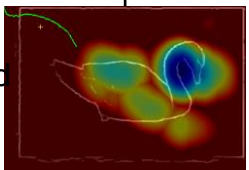
part detection cost



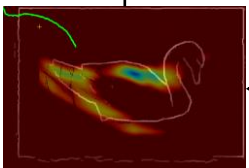
+

x

transformed cost

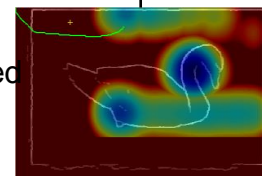


part detection cost

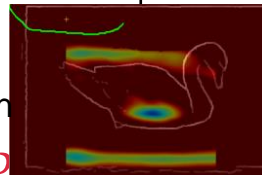


x

transformed cost



part detection cost



x



Step 3: Make decision at the root node

$$l_r^* = \arg \min_{l_r} \left(m_r(l_r) + \sum_{v_c \in C_r} B_c(l_j) \right)$$

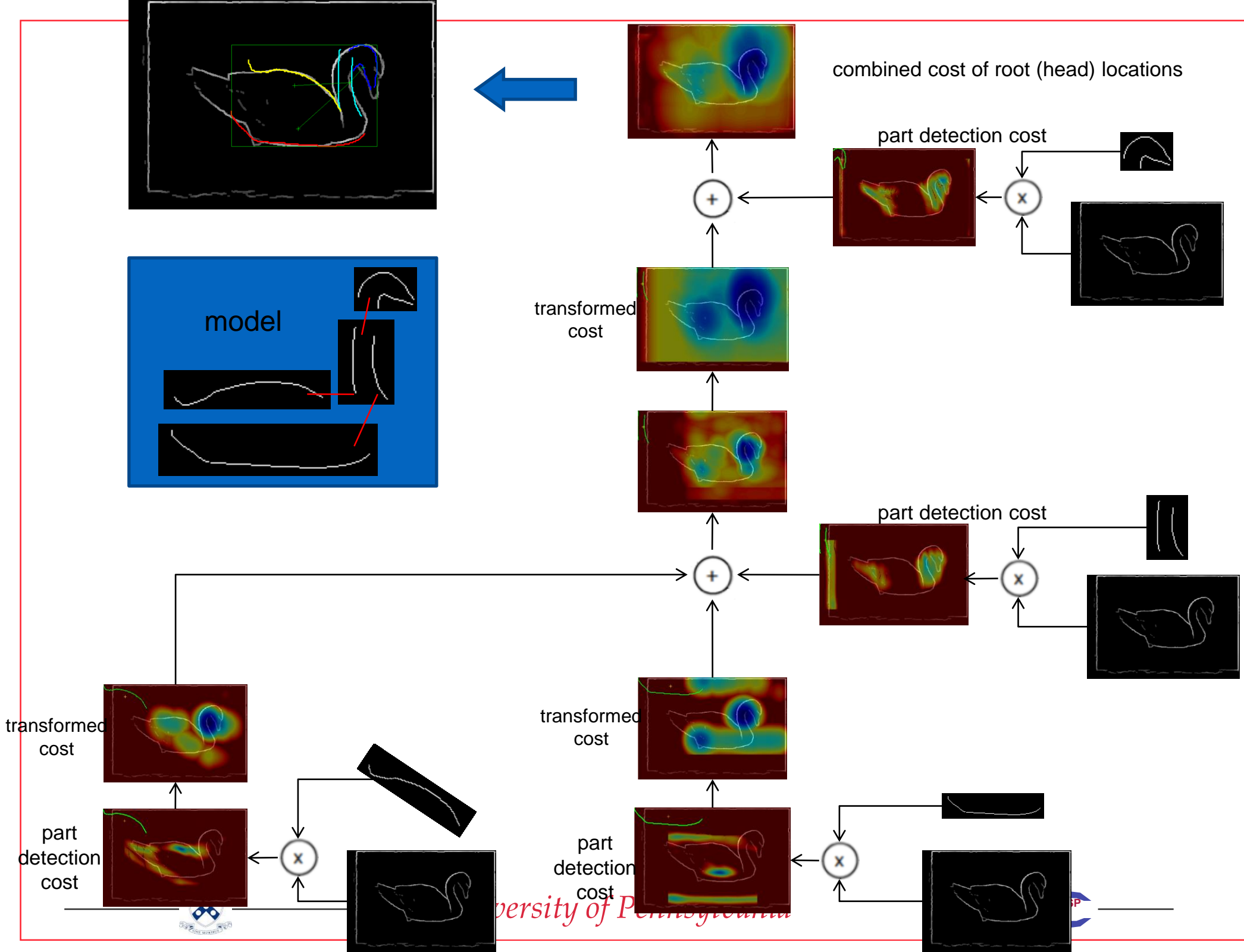
do the best
for itself

considering votes from
all its children (c)

The decision at the root is purely local, no need to check with anyone else.

Good to the root, but one wrong choice, it effects the whole tree.





Step 4: recursively propagate information down

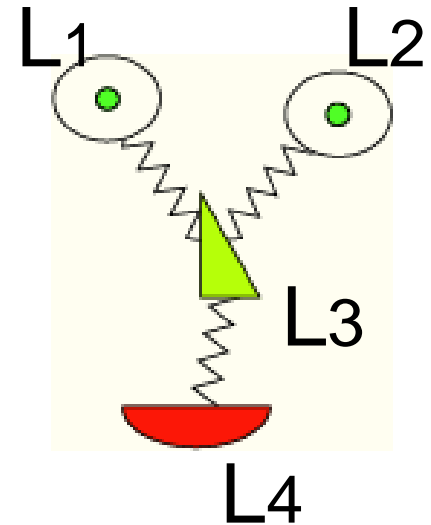
Given parent node is decided

$B_j(l_i)$

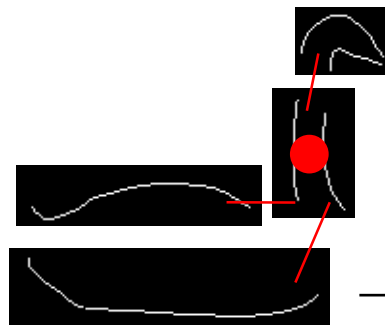
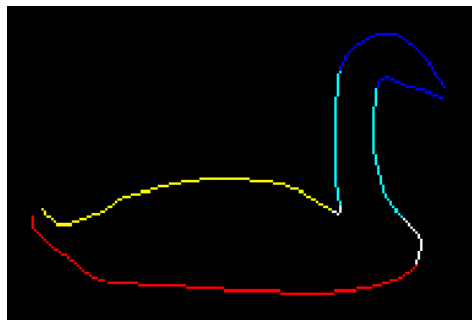
current node label decision can be directly read off from the table

$B_j(l_i)$

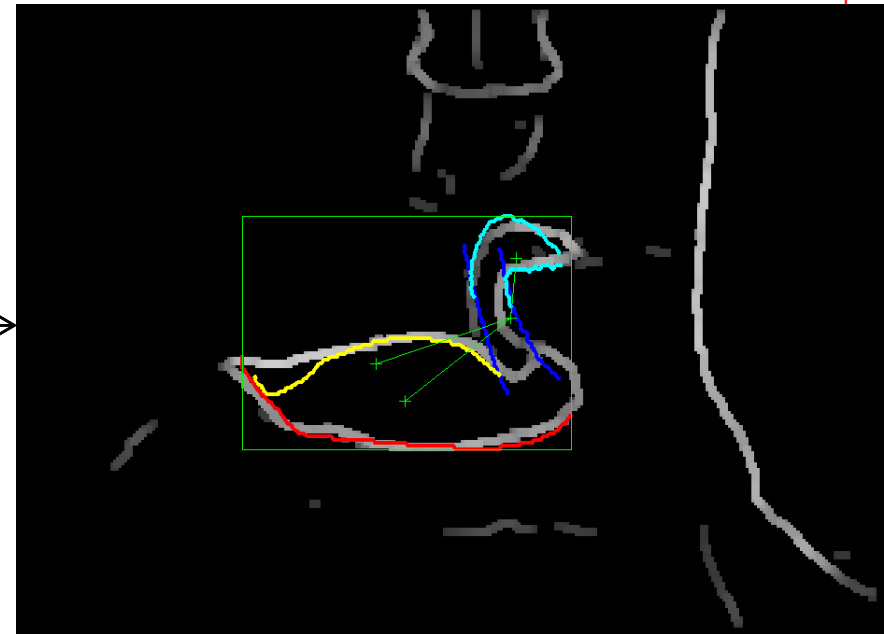
decide by read off from table

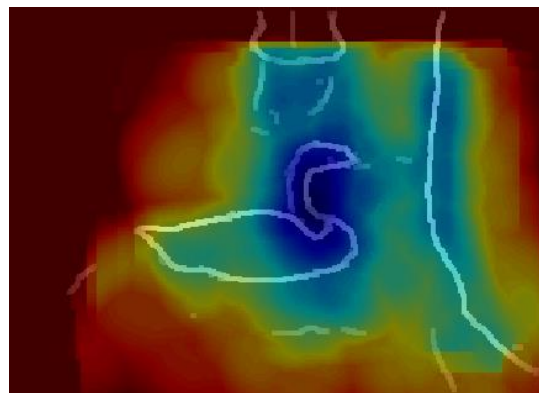
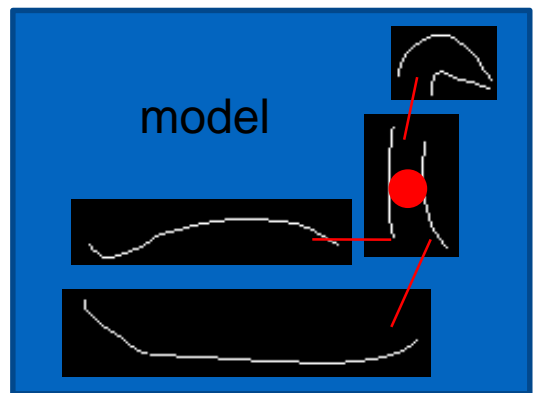
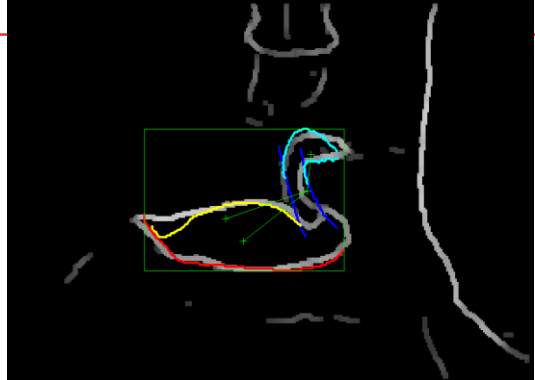


Deformable part model detection with 4 parts

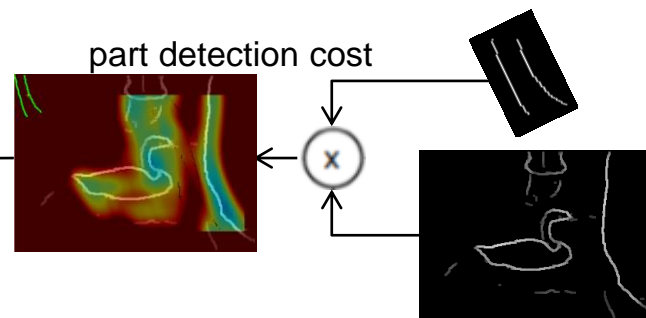


model

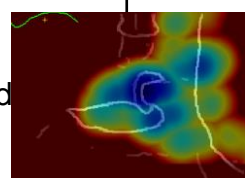




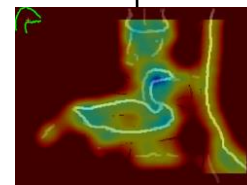
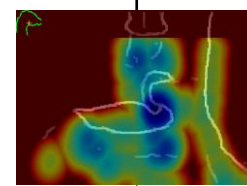
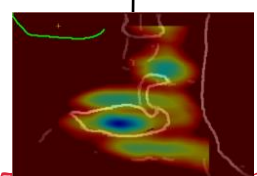
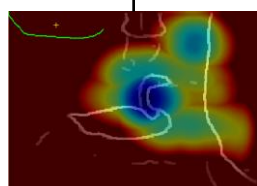
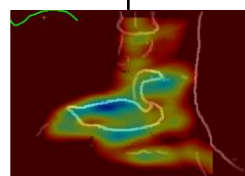
combined cost of root (neck) locations

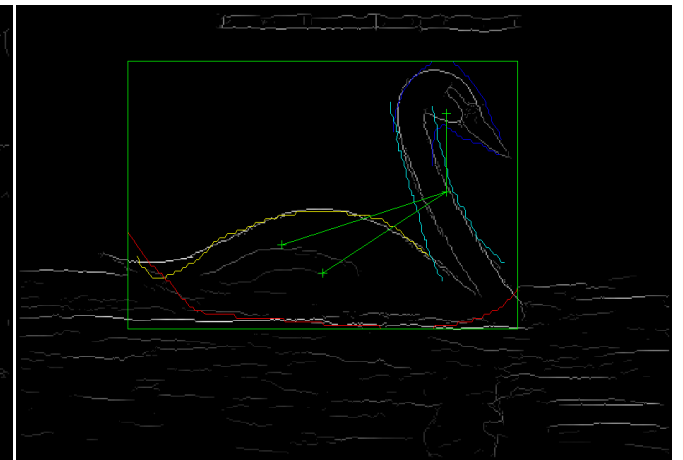
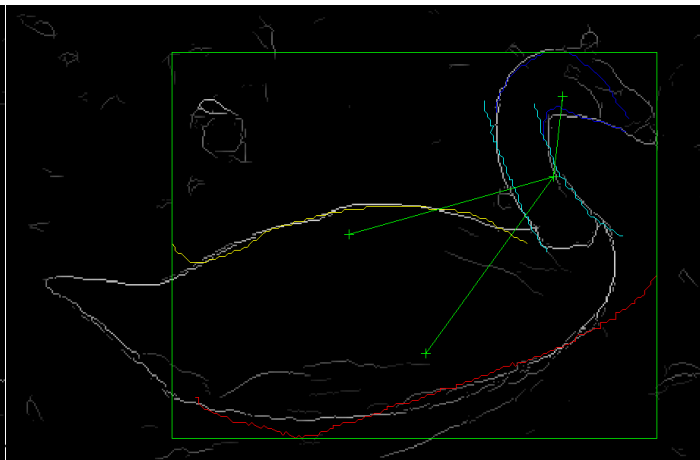
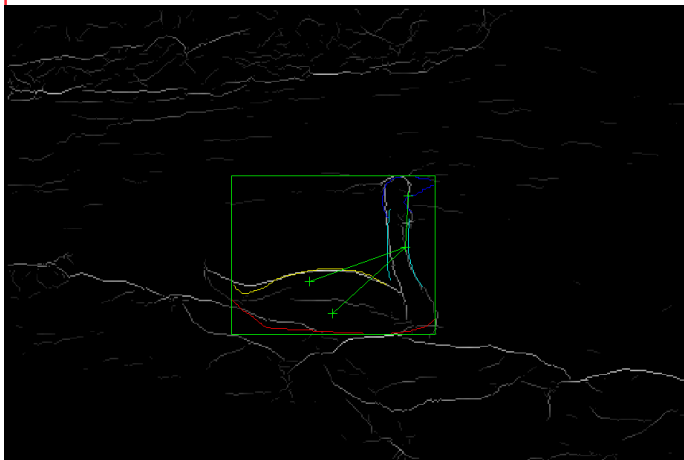
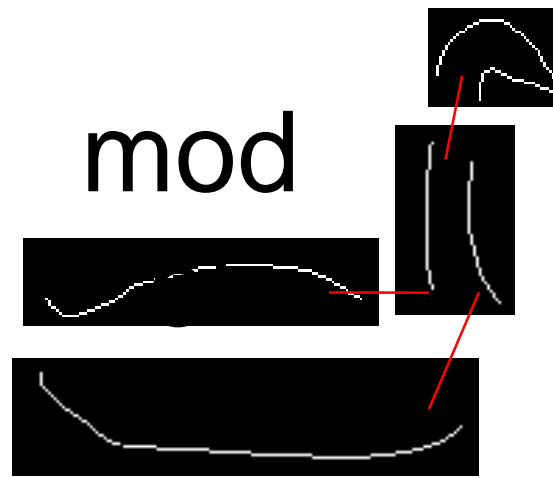
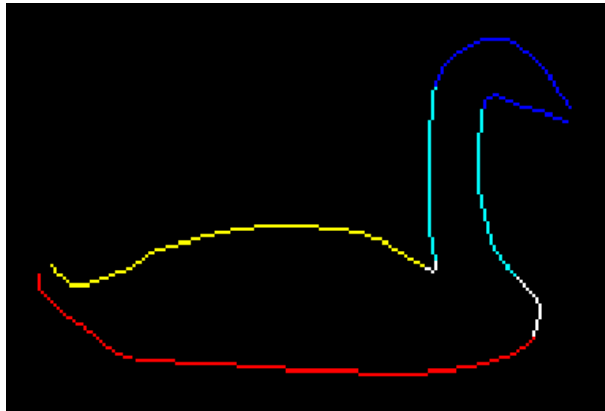


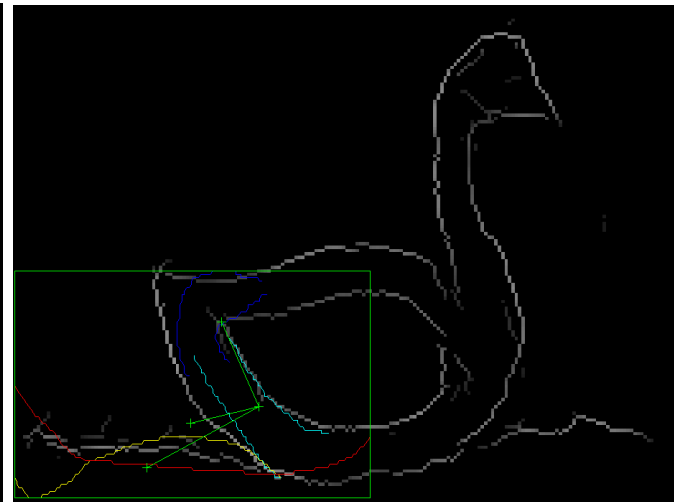
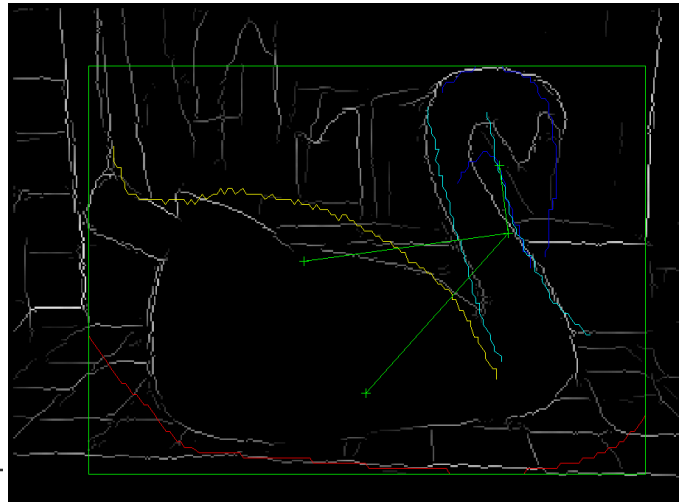
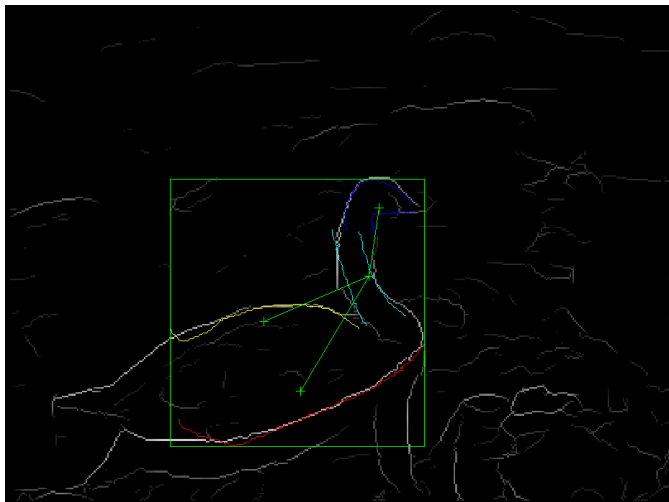
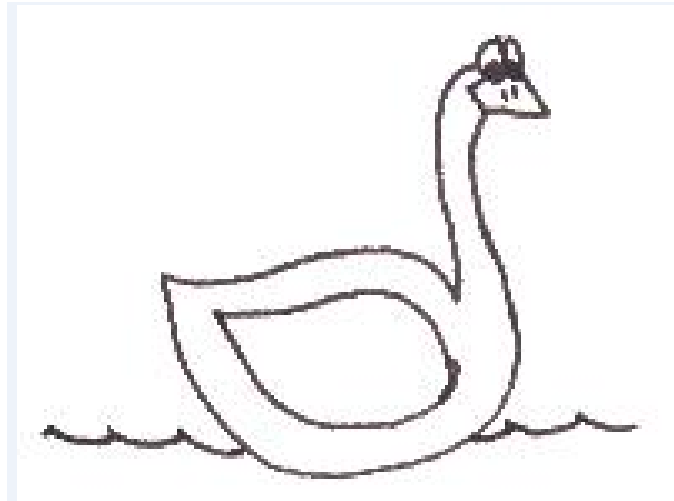
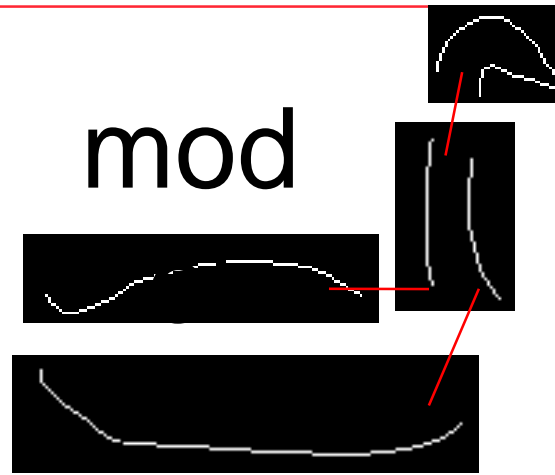
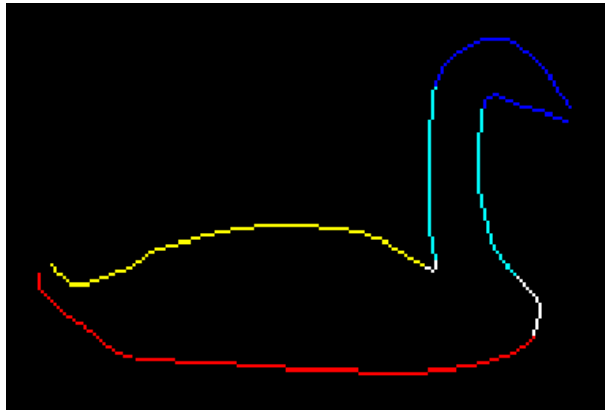
transformed cost

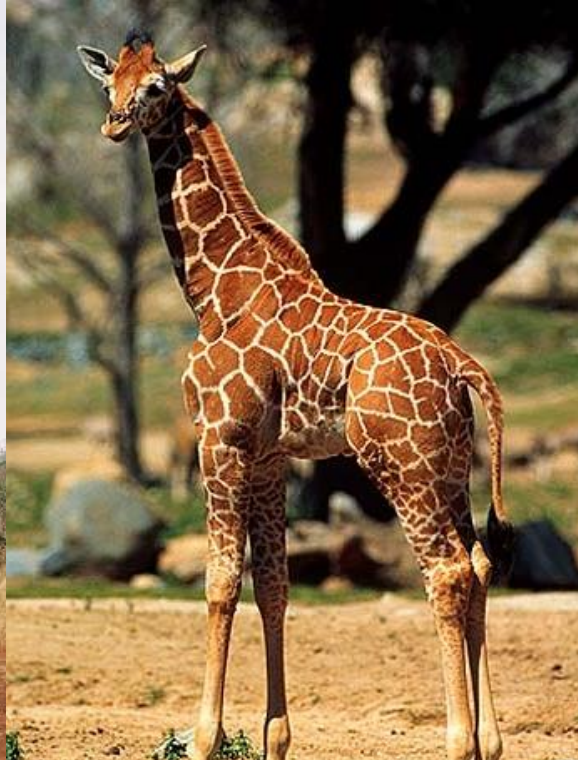


part detection cost

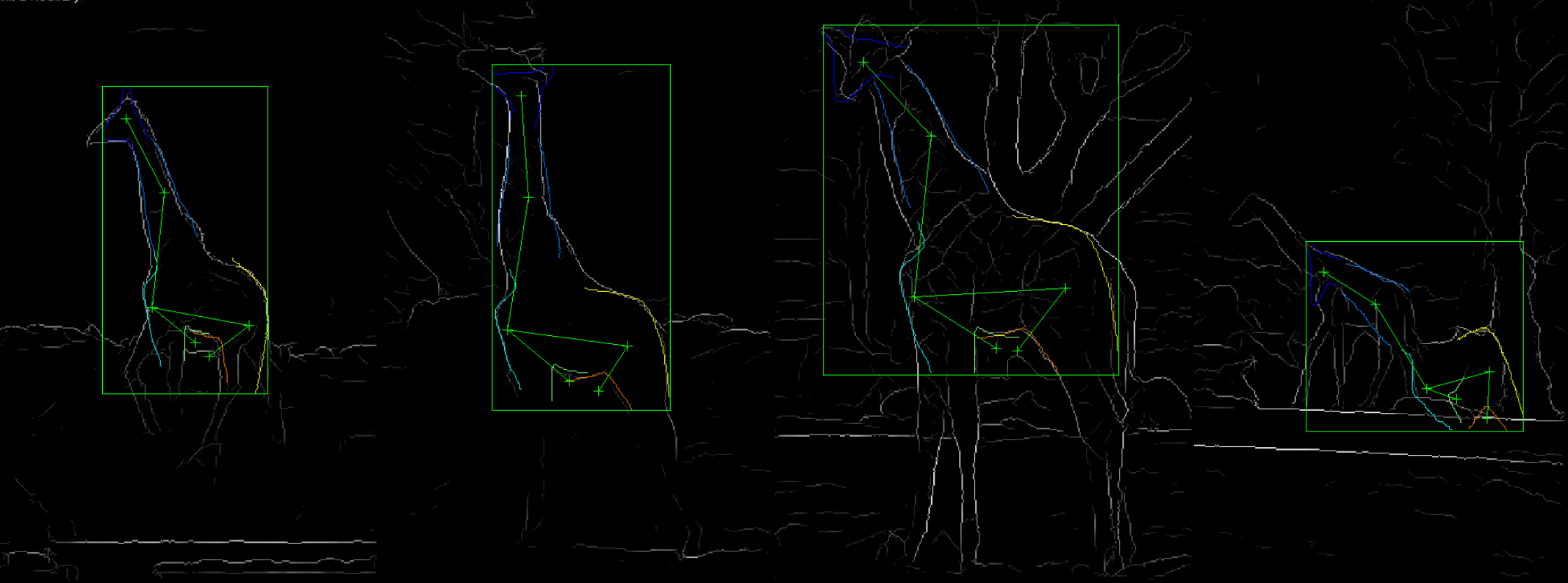








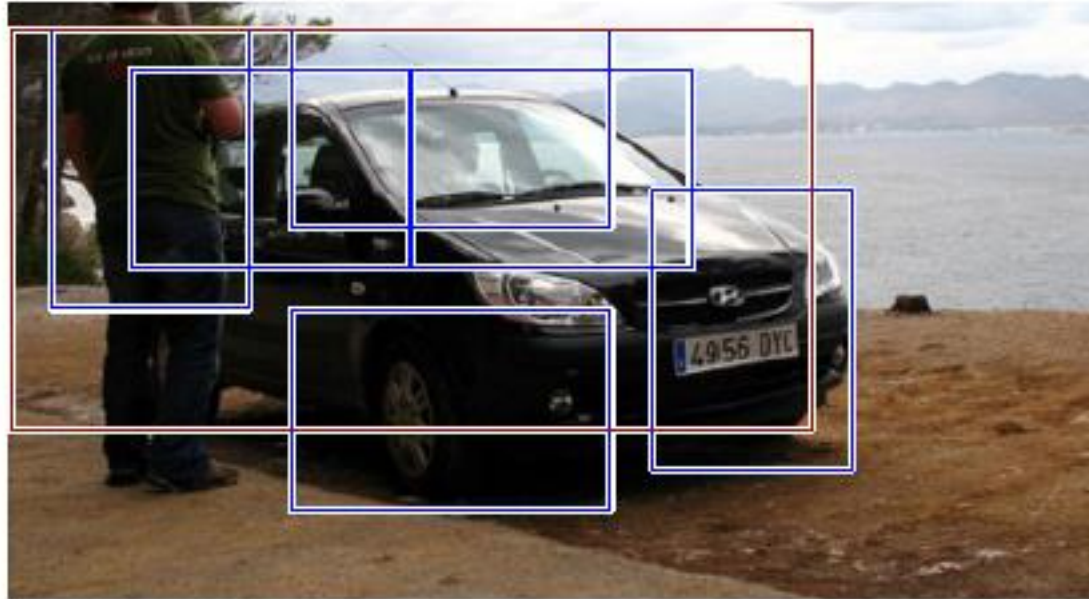
Kenya
Eileen Bunn
<http://www.africanwildlife.com>

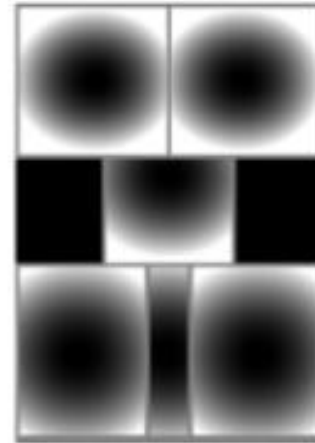
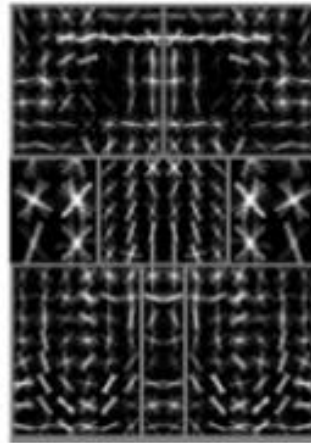
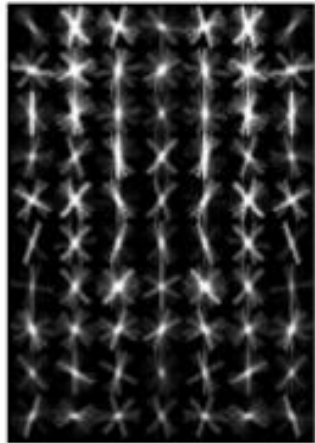
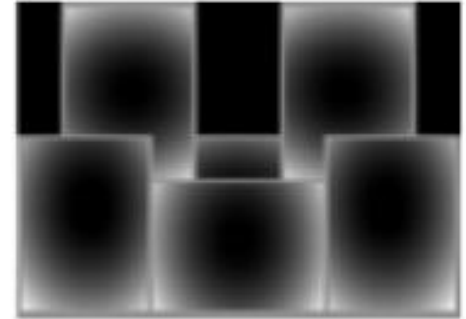
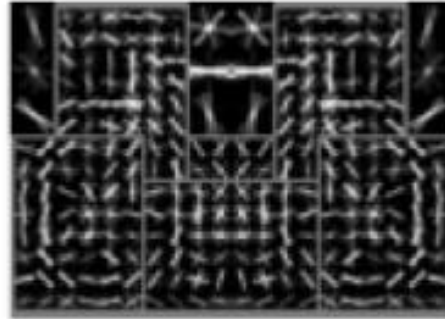
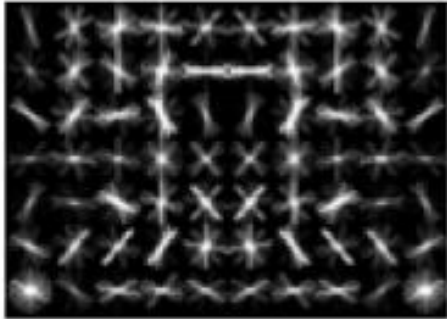
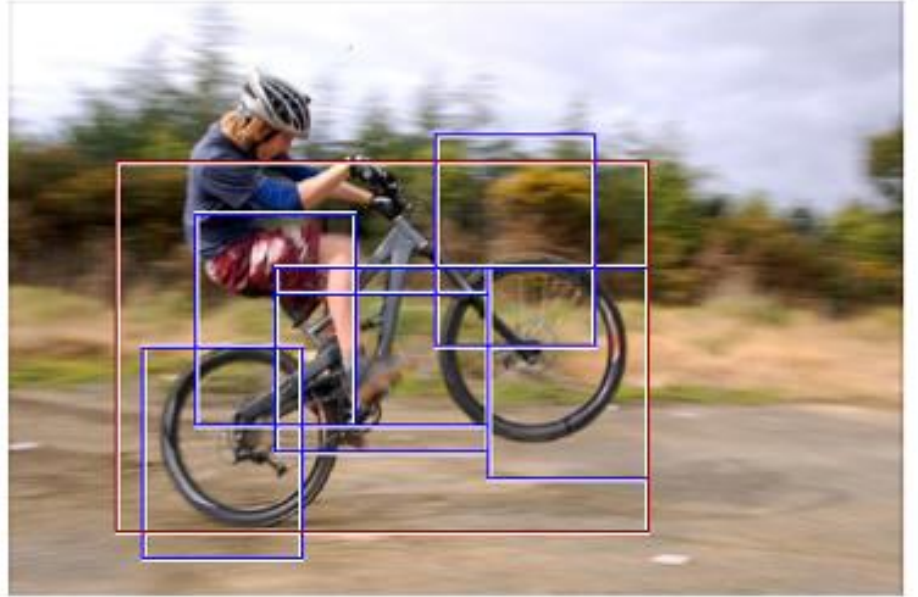
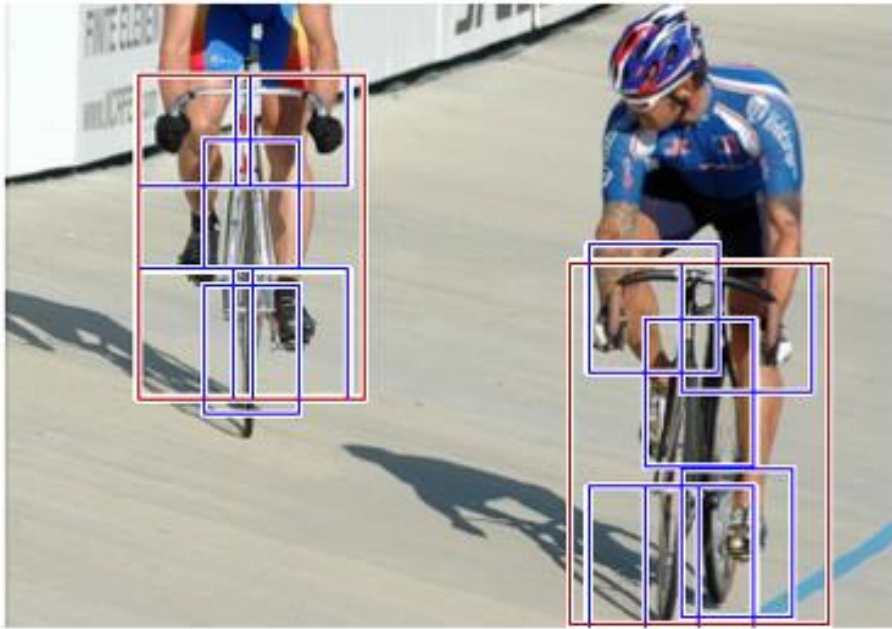


Learning Pictorial Structure

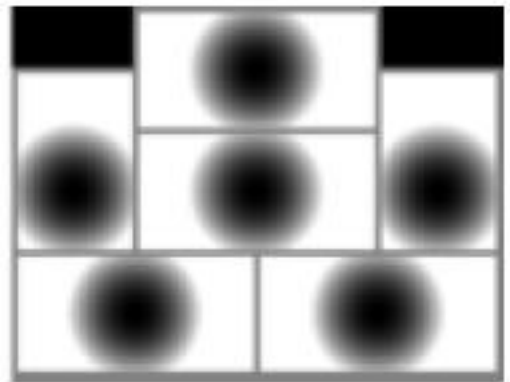
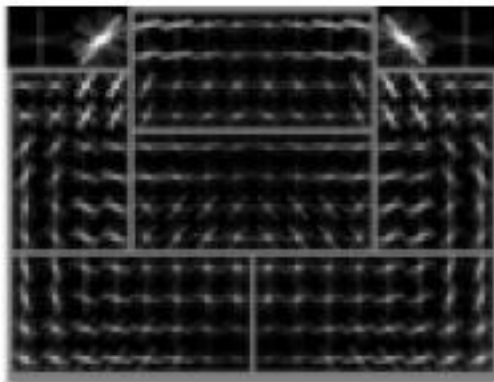
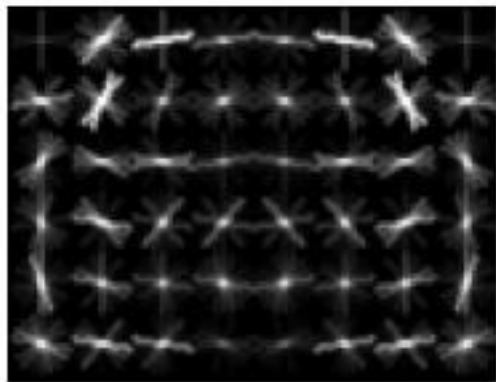
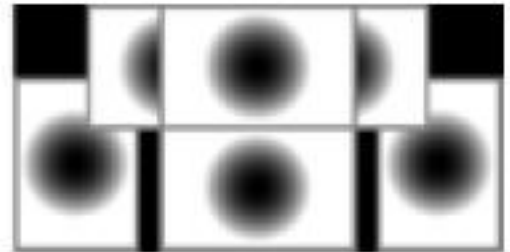
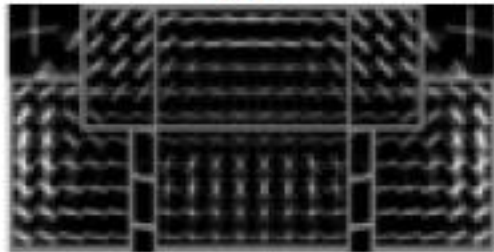
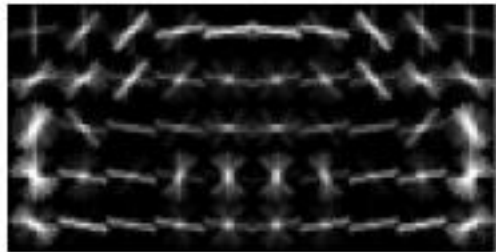
A Modern Version

- 1) fine level with deformable parts
- 2) coarse level with a fixed template model

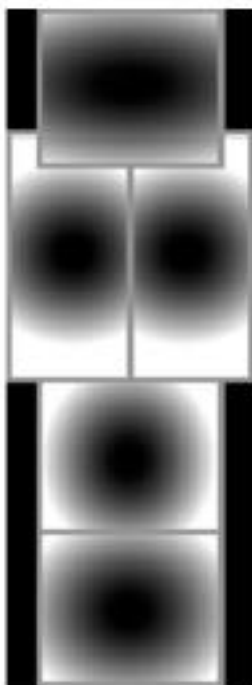
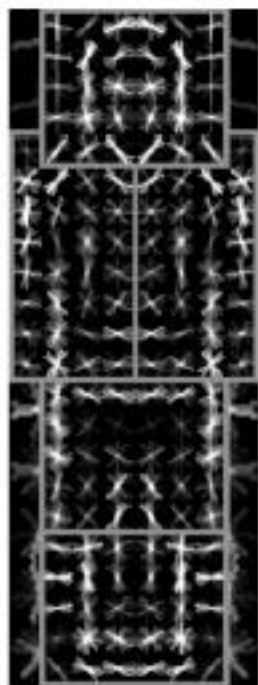
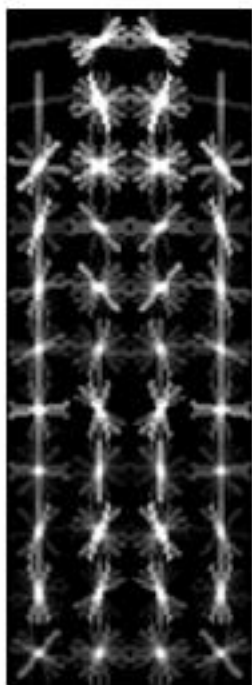
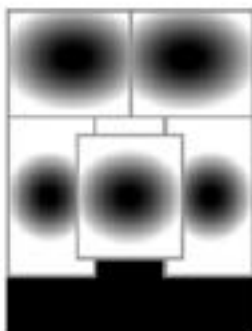
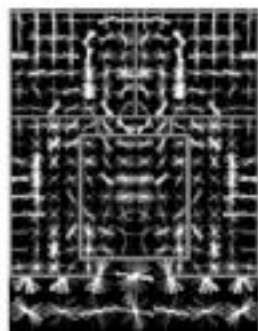
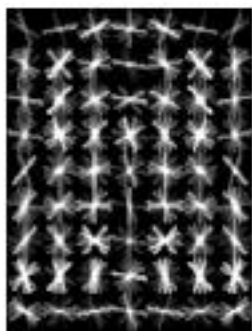




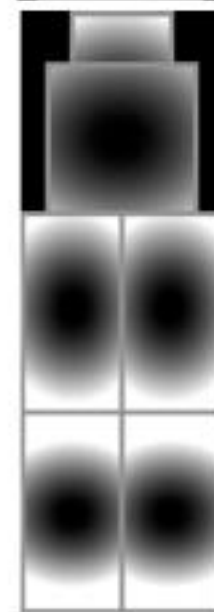
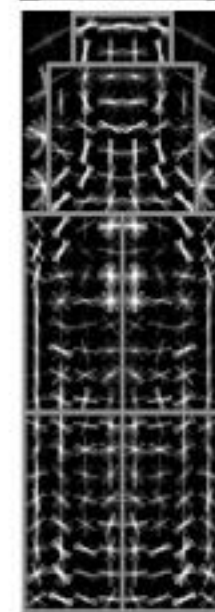
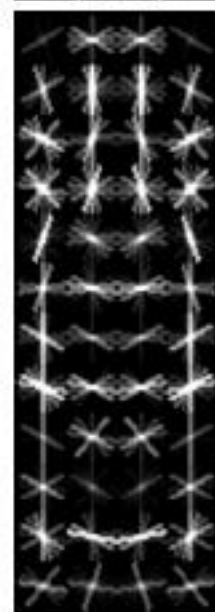
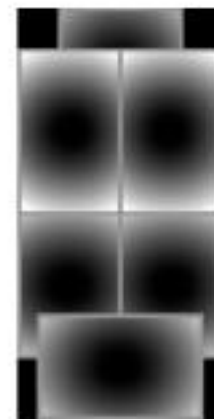
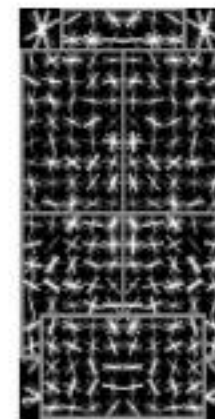
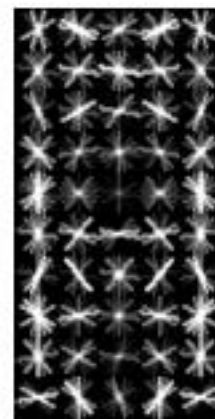
(c)



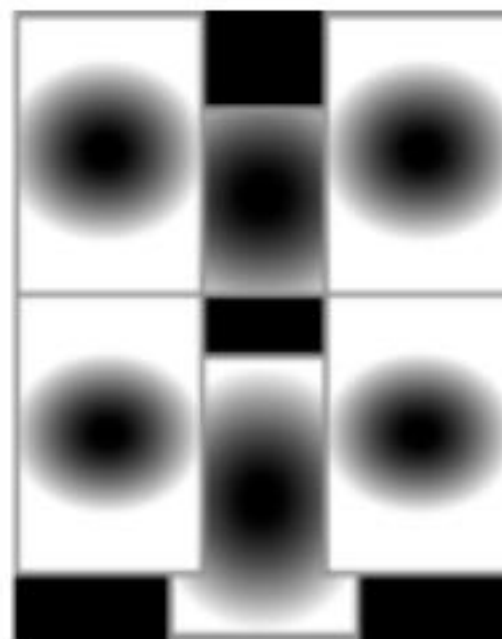
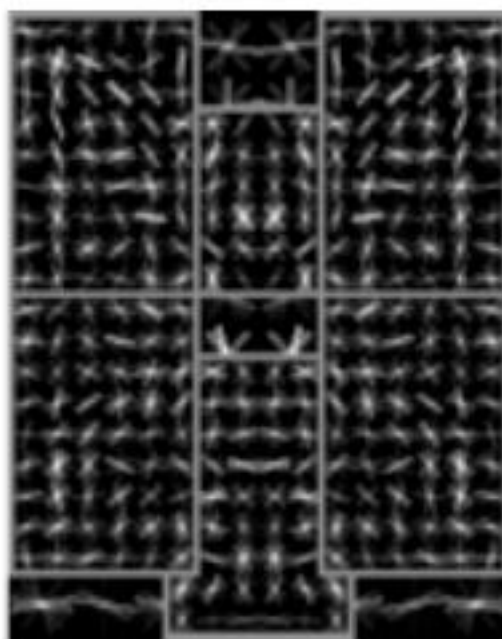
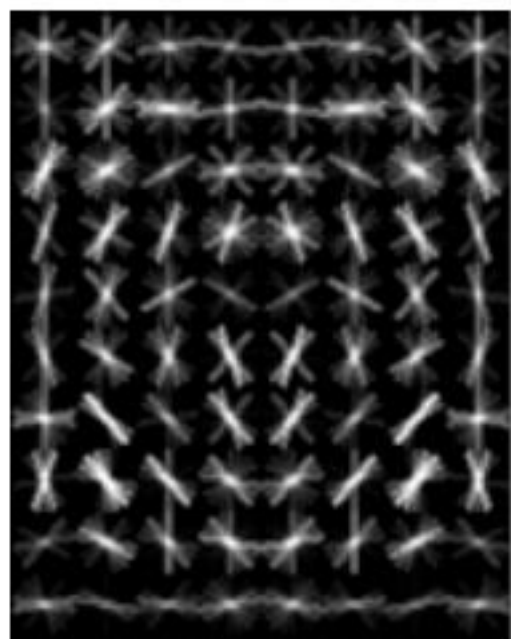
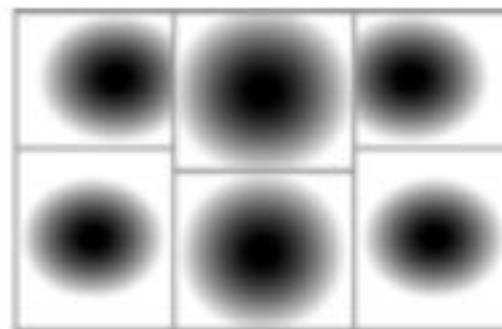
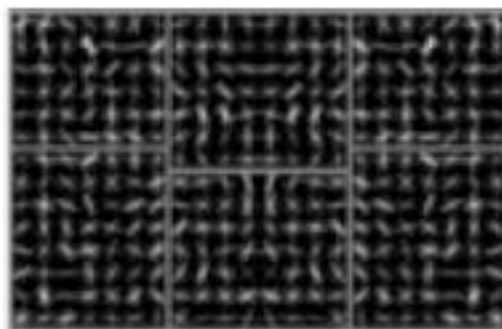
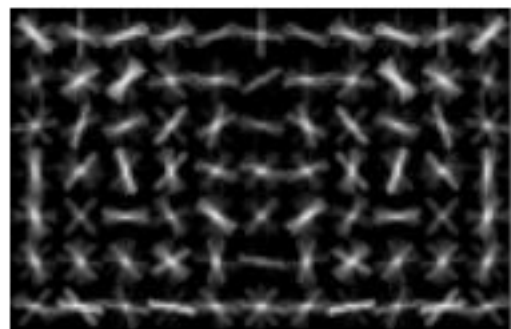
person



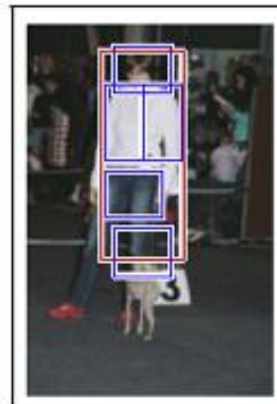
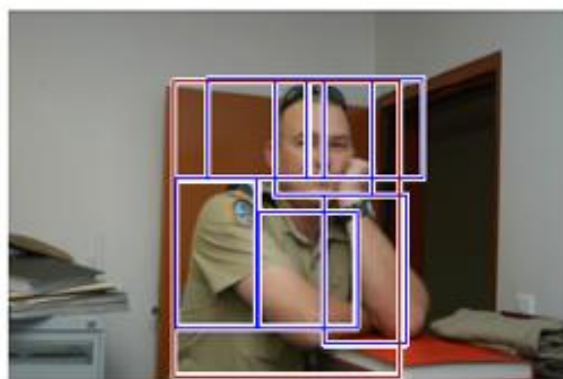
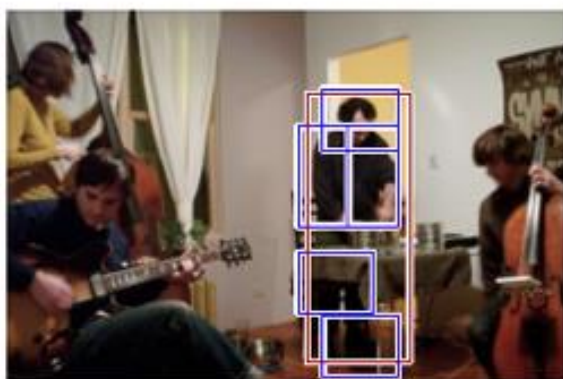
bottle



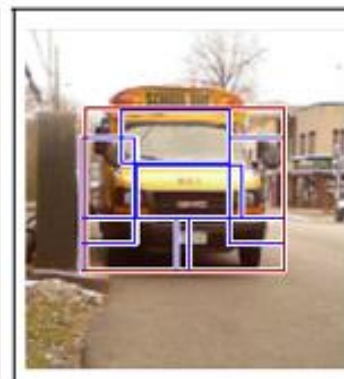
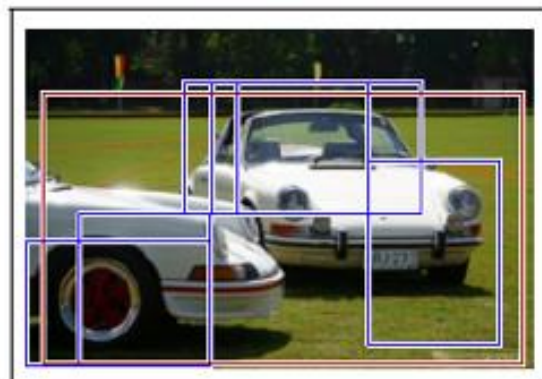
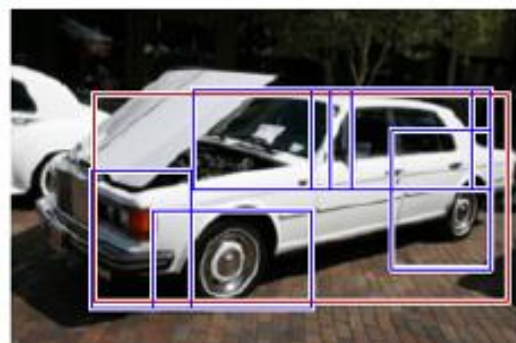
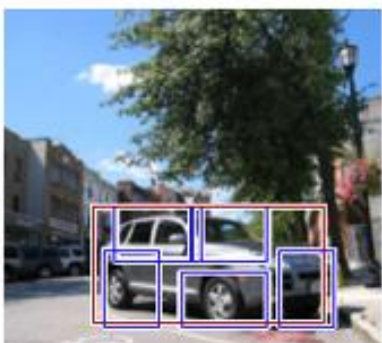
cat



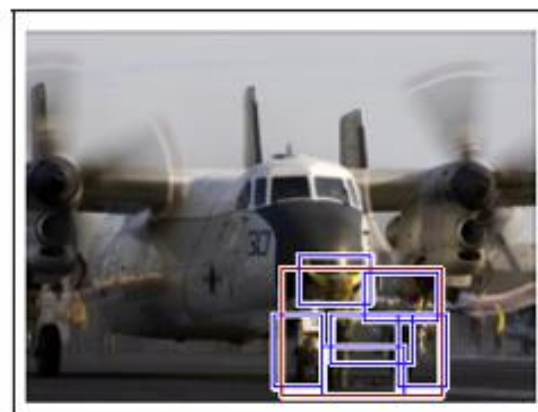
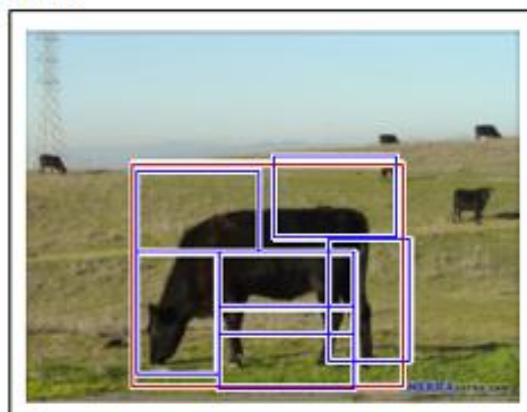
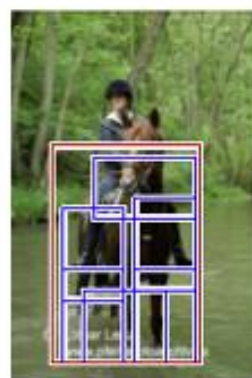
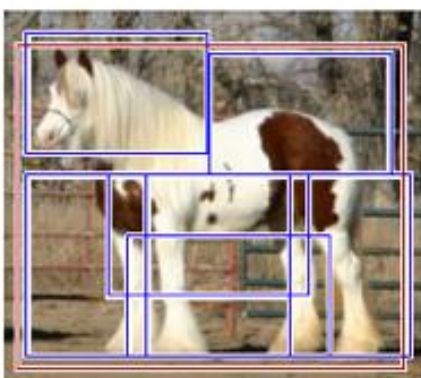
person



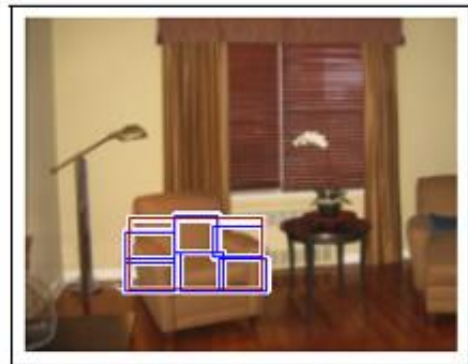
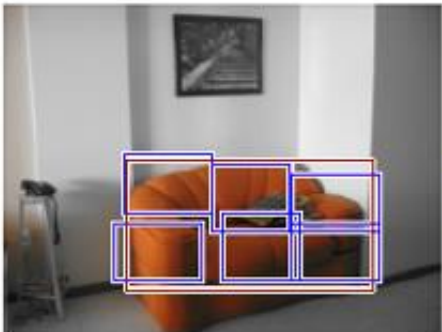
car



horse



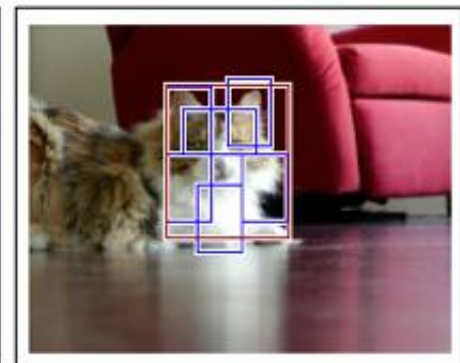
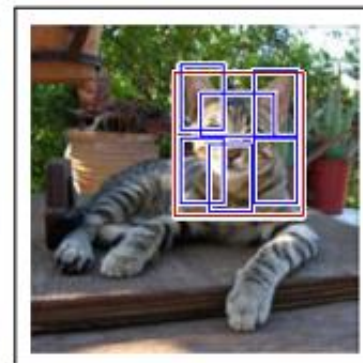
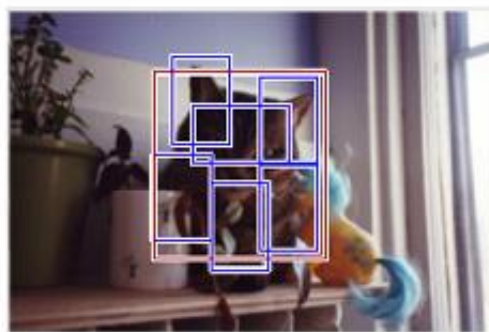
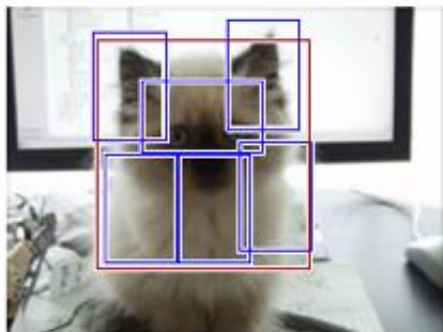
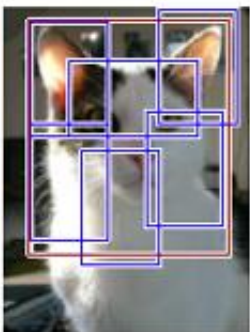
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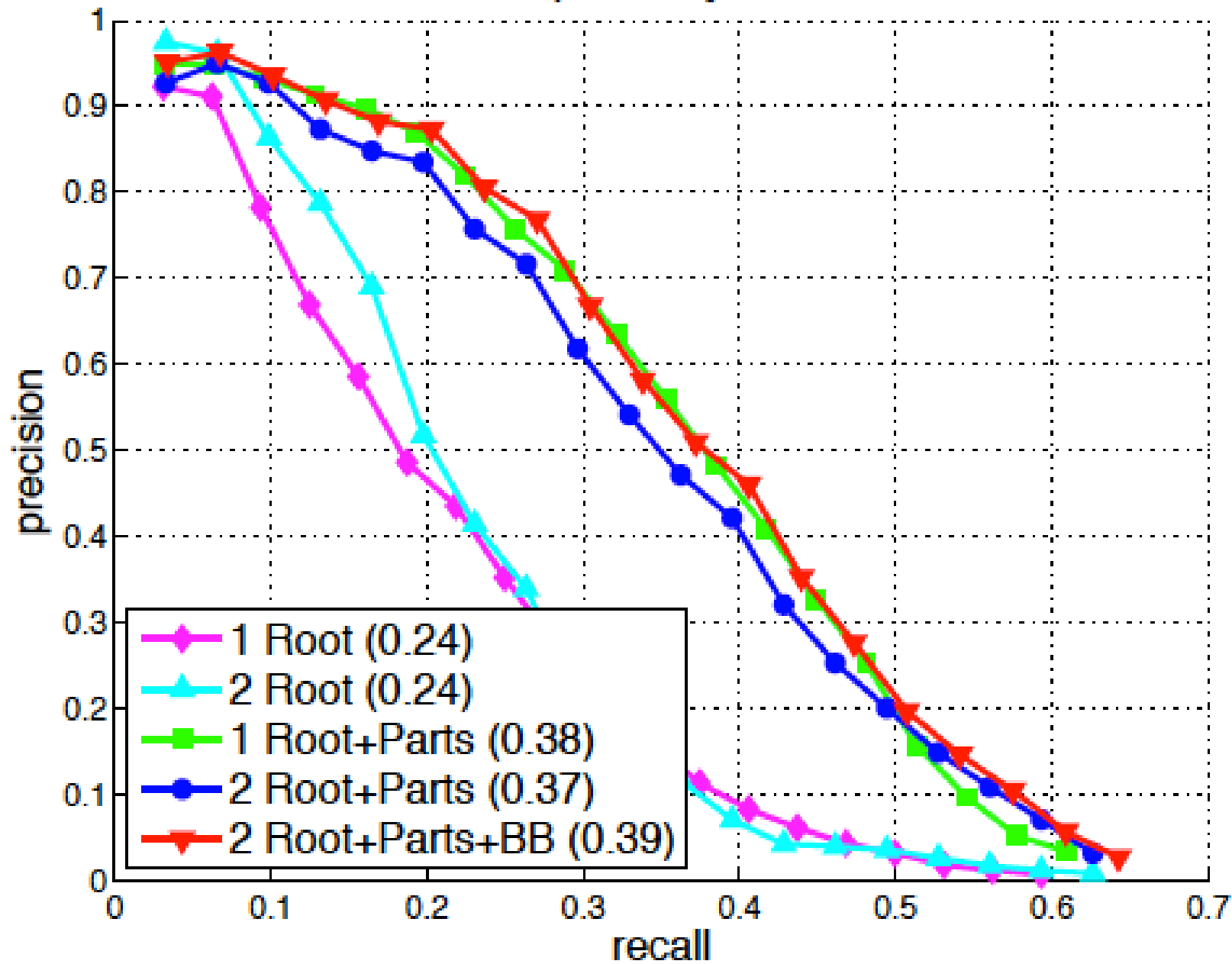
bottle



cat



class: person, year 2006



class: car, year 2006

